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The energy cost of swimming and its determinants

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Zamparo P., Cortesi M., Gatta G. (2020). The energy cost of swimming and its determinants. EUROPEAN JOURNAL OF APPLIED PHYSIOLOGY, 120(1), 41-66 [10.1007/s00421-019-04270-y].

*Availability:*

This version is available at: <https://hdl.handle.net/11585/740386> since: 2023-09-19

*Published:*

DOI: <http://doi.org/10.1007/s00421-019-04270-y>

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This is the final peer-reviewed accepted manuscript of:

Zamparo P, Cortesi M, Gatta G (2020) The energy cost of swimming and its determinants. Eur J Appl Physiol 120:41–66. <https://doi.org/10.1007/s00421-019-04270-y>

The final published version is available online at: <https://doi.org/10.1007/s00421-019-04270-y>

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# European Journal of Applied Physiology

## The energy cost of swimming and its determinants

--Manuscript Draft--

<b>Manuscript Number:</b>	EJAP-D-19-00731R1
<b>Full Title:</b>	The energy cost of swimming and its determinants
<b>Article Type:</b>	Invited Review
<b>Keywords:</b>	water locomotion; energy expenditure, swimming, hydrodynamic resistance, propelling efficiency
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<b>Funding Information:</b>	
<b>Abstract:</b>	<p>The energy expended to transport the body over a given distance (<math>C</math>, the energy cost) increases with speed both on land and in water. At any given speed, <math>C</math> is lower on land (e.g. running or cycling) than in water (e.g. swimming or kayaking) and this difference can be easily understood when one considers that energy should be expended (among the others) to overcome resistive forces since these, at any given speed, are far larger in water (hydrodynamic resistance, drag) than on land (aerodynamic resistance). Another reason of the differences in <math>C</math> between water and land locomotion is the lower capability to exert useful forces in water than on land (e.g. a lower propelling efficiency in the former case). These two parameters (drag and efficiency) not only can explain the differences in <math>C</math> between land and water locomotion but can also explain the differences in <math>C</math> within a given form of locomotion (swimming, which is the topic of this review): e.g. differences between strokes or between swimmers of different age, sex and technical level. In this review, the determinants of <math>C</math> (drag and efficiency, as well as energy expenditure in its aerobic and anaerobic components) will, thus, be described and discussed. In aquatic locomotion it is difficult to obtain quantitative measures of drag and efficiency and only a comprehensive (biophysical) approach could allow to understand which estimates are "reasonable" and which are not. Examples of these calculations are also reported and discussed.</p>
<b>Response to Reviewers:</b>	

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## **The energy cost of swimming and its determinants**

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INVITED REVIEW (Locomotion Series)

## Abstract

1 The energy expended to transport the body over a given distance ( $C$ , the energy cost) increases with speed both on land  
2 and in water. At any given speed,  $C$  is lower on land (e.g. running or cycling) than in water (e.g. swimming or kayaking)  
3 and this difference can be easily understood when one considers that energy should be expended (among the others) to  
4 overcome resistive forces since these, at any given speed, are far larger in water (hydrodynamic resistance, drag) than on  
5 land (aerodynamic resistance). Another reason of the differences in  $C$  between water and land locomotion is the lower  
6 capability to exert useful forces in water than on land (e.g. a lower propelling efficiency in the former case). These two  
7 parameters (drag and efficiency) not only can explain the differences in  $C$  between land and water locomotion but can  
8 also explain the differences in  $C$  within a given form of locomotion (swimming at the surface, which is the topic of this  
9 review): e.g. differences between strokes or between swimmers of different age, sex and technical level. In this review,  
10 the determinants of  $C$  (drag and efficiency, as well as energy expenditure in its aerobic and anaerobic components) will,  
11 thus, be described and discussed. In aquatic locomotion it is difficult to obtain quantitative measures of drag and  
12 efficiency and only a comprehensive (biophysical) approach could allow to understand which estimates are “reasonable”  
13 and which are not. Examples of these calculations are also reported and discussed.  
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16 **Key words:** water locomotion; energy expenditure, swimming, hydrodynamic resistance, propelling efficiency  
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## Abbreviations

1		
2		
3	$A$	projected frontal area
4	$AO$	swimming with arms only
5	$C$	energy cost
6	$C_d$	drag coefficient
7	$\dot{E}$	metabolic power
8	$\dot{E}_{max}$	maximal metabolic power
9	$\dot{E}_{Aer}$	metabolic power (aerobic component)
10	$\dot{E}_{Anl}$	metabolic power (anaerobic lactic component)
11	$\dot{E}_{AnAl}$	metabolic power (anaerobic alactic component)
12	$F_d$	hydrodynamic resistance (drag force)
13	$F_t$	thrust force
14	$IVV$	intra-cyclic variations in speed
15	$IdC$	index of coordination
16	$LO$	swimming with legs only
17	$La_b$	blood lactate concentration
18	$OWS$	open water swimming
19	$PCr$	phosphocreatine concentration
20	$SF$	stroke frequency
21	$SL$	stroke length
22	$T$	“leg sinking” torque
23	$t$	exercise duration
24	$v$	swimming speed
25	$v_{max}$	maximal swimming speed
26	$\dot{V}O_2$	oxygen uptake
27	$\dot{V}O_{2max}$	maximal oxygen uptake
28	$\dot{W}_{tot}$	total mechanical power
29	$\dot{W}_{ext}$	external mechanical power
30	$\dot{W}_{int}$	internal mechanical power
31	$\dot{W}_d$	drag power (mechanical power needed to overcome drag)
32	$\dot{W}_k$	“wasted” mechanical power
33	$\dot{W}_t$	thrust power (mechanical power needed to propel the body forward)
34	$WS$	swimming the whole stroke
35	$\eta_o$	overall efficiency
36	$\eta_P$	propelling efficiency
37	$\eta_d$	drag efficiency
38	$\eta_F$	Froude efficiency
39	$\eta_H$	hydraulic efficiency
40	$\rho$	water density
41	$\tau$	time constant
42	$3D$	three-dimensional
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Maximal swimming speed is higher the higher the maximal metabolic power of the swimmer and the lower his/her the energy cost ( $C$ ). In turn: i) metabolic power can be derived from aerobic or anaerobic (lactic and alactic) energy sources and ii)  $C$  depends on overall efficiency, propelling efficiency and hydrodynamic resistance. All the factors that are known to influence  $C$  (e.g. speed, stroke, age, sex, training ...) act through their effects on (active) drag, (propelling) efficiency or both. A conceptual diagram of the key determinants of the energy cost of swimming is reported in Figure 1. Understanding the complex interplay between all these factors, is the major aim of this review.

*Fig. 1 near here*

## 1- Energy cost

In swimming, as well as in other cyclic forms of human locomotion (in water and on land), metabolic power (the energy expended in the unit of time,  $\dot{E}$ ) increases exponentially as a function of speed (that is indeed a “measure” of exercise intensity). The energy cost ( $C$ ) is a parameter that takes into account differences in energy expenditure, at a given speed, between subjects/modes of locomotion; it is calculated by “normalizing”  $\dot{E}$  to the locomotion speed ( $v$ ):

$$C = \dot{E}/v \quad 1.1$$

If the  $v$  is expressed in  $\text{m} \cdot \text{s}^{-1}$  and  $\dot{E}$  in  $\text{kJ} \cdot \text{s}^{-1}$ ,  $C$  results in  $\text{kJ} \cdot \text{m}^{-1}$  (e.g. di Prampero 1986).  $C$  can thus be defined as:

- the metabolic power needed to move at a given speed
- the metabolic energy needed to cover a given distance.

In more general terms,  $C$  represents the energy expended, at a given speed, not as a function of time but as a function of the distance covered. Indeed,  $C$  is also defined as the cost of transport and is generally reported normalized by the body mass of the subject ( $\text{kJ} \cdot \text{m}^{-1} \cdot \text{kg}^{-1}$ ). This normalization is important/meaningful in terrestrial locomotion where body mass influences the amount of mechanical/metabolic energy that has to be expended to oppose the effects of gravity; in aquatic locomotion other anthropometric characteristics play a more important role in determining energy expenditure, as an example stature and arm span (e.g. Chatard et al. 1990c) or “leg sinking” torque (e.g. Pendergast et al. 1977). In swimming studies it is, thus, more common to report  $C$  in  $\text{kJ} \cdot \text{m}^{-1}$  or to normalize it to body surface area (a parameter that influences hydrodynamic resistance, see section 3.1), instead of body mass (e.g. Pendergast et al. 1977).

How to measure  $\dot{E}$  will be indicated and discussed in section 2; briefly, we can anticipate that the large majority of aquatic locomotion studies report data of sub-maximal energy expenditure after steady state conditions are attained, a condition for which is not necessary to estimate the contribution of the anaerobic energy sources, the determination of which is based on several (and sometimes debated) assumptions.

It goes without saying that also measuring the aerobic component of  $\dot{E}$  (e.g. oxygen uptake:  $\dot{V}O_2$ ) is not an easy task in the aquatic environment; in the specific case of swimming, experiments are generally performed in swimming pools and therefore, for practical reasons, the starting dive should be avoided and the swimmers must perform open turns (and cannot thus perform a proper underwater gliding phase); this means that the energy needed for starts and turns is not taken into account with consequences often ignored/not discussed in the literature. Indeed, “neglecting starts and turns” has important consequences on the estimates of the overall energy expenditure of swimming. The percentage contribution of the time spent in starts and turns respectively decreases and increases with race distance and, in long distance events, up to 30% of total race time is spent in turning (e.g. Lyttle and Blanksby 2011). The capability to perform efficient turns is thus expected to have a remarkable effect on the overall energy expenditure ( $\dot{E}$ ) of swimming, especially in short course pools, although this is still a relatively unexplored field of study.

Swimming speed in Eq. 1.1 corresponds to the “clean swimming speed” that can be represented by a single, constant, average value. Indeed,  $v$  is generally determined in the central section of the pool where the acceleration caused by the push on the pool edge during the turn is over and the deceleration in view of the next turn is not started yet. The swimmer’s speed, in starts and turns, is far larger than clean swimming speed: typical average velocities for elite male swimmers (in front crawl) in the start phase (first 15 m) are of about  $3 \text{ m} \cdot \text{s}^{-1}$ , while clean swimming speed is in the order of  $1.8$  to  $2 \text{ m} \cdot \text{s}^{-1}$ . The faster than average speed during turns is the reason for the faster times in short (25 m) compared to long courses (50 m) races.

Even if the major changes in speed during a race are observed during starts and turns, clean swimming speed cannot be considered “constant” since it shows intra-cyclic variations which differ according to the swimming style and speed (e.g. Craig and Pendergast 1979); indeed in all cyclic forms of locomotion, in land and in water, propulsive forces are not constant but impulsive and this results in intra-cyclic variations in speed. It is however assumed that the average effective force (over one cycle) produces the average (e.g. “constant”) locomotion speed. The effects of the intra-cyclic variations in speed on the energy expenditure of swimming will be briefly discussed in section 4.4.

The importance of  $C$  in determining performance can be appreciated by rearranging Eq. 1.1 and applying it to maximal conditions (di Prampero 1986):

$$v_{max} = \dot{E}_{max}/C \quad 1.2$$

Eq. 1.2 indicates that maximal speed ( $v_{max}$ ) depends on the ratio of maximal metabolic power ( $\dot{E}_{max}$ ) to  $C$ ; hence, for a given athlete (for a given value of  $\dot{E}_{max}$ ), the maximal speed he/she can attain in different forms of land/water locomotion is essentially set by the value of  $C$  of that form of locomotion. This formally explains data reported in Fig. 1.1.

*Fig. 1.1 near here*

*Fig. 1.2 near here*

Data reported in Fig. 1.2 represent, schematically, the energy cost during a given form of locomotion (e.g. front crawl swimming) in three subjects with different proficiency level (recreational, good swimmer and elite). In analogy with Fig. 1.1, this figure shows that differences in energy cost can be observed among subjects in a given form of locomotion:  $C$  increases with a steeper rate in less experienced swimmers. The differences in the maximal attained speed, also in this case, depend on maximal metabolic power and on the energy cost of locomotion: elite swimmers have both a larger  $\dot{E}_{max}$  and a lower  $C$ , for these reasons they can reach faster speeds than recreational swimmers. An athlete can thus improve his/her performance (can increase his/her  $v_{max}$ ) by increasing his/her maximal metabolic power ( $\dot{E}_{max}$ , the numerator of Eq. 1.2) and/or by decreasing his/her energy cost ( $C$ , the denominator of Eq. 1.2).

Maximal metabolic power depends on the availability of aerobic and anaerobic (lactic and alactic) energy sources. The larger these sources (i.e. the capacity, in kJ) and the faster they can be utilized the larger the metabolic power ( $\text{kJ}\cdot\text{s}^{-1} = \text{kW}$ ), and hence  $v_{max}$ . As shown by Capelli (1999), an improvement in a subject's  $v_{max}$  can more easily be obtained by a reduction of  $C$  rather than by an (equal) increase in metabolic power (in either of its components, aerobic or anaerobic).

To reduce  $C$  it is thus important to know which factors determine/influence this parameter. As it will be formally demonstrated later on (section 3), in water locomotion  $C$  depends on hydrodynamic resistance ( $F_d$ ), propelling efficiency ( $\eta_p$ ) and overall efficiency ( $\eta_o$ ):

$$C = F_d / (\eta_o \eta_p) \quad 1.3$$

Combining Eqs. 1.2 and 1.3:

$$v_{max} = \dot{E}_{max} (\eta_o \eta_p) / F_d \quad 1.4$$

This equation indicates that maximal speed in swimming depends on the interplay among all these factors: as an example, if two athletes have the same  $\dot{E}_{max}$ , the swimmer with higher propelling efficiency and lower hydrodynamic resistance (and hence with a lower  $C$ ) will outswim the swimmer with a poor  $\eta_p$  and a large  $F_d$  (and hence with a higher  $C$ ). On the other hand, a swimmer with an elevated  $\dot{E}_{max}$  could outswim a peer with a better  $C$  but characterized by a lower maximal aerobic and/or anaerobic power.

Eq. 1.4 is, as an example, useful to understand: 1) why a given athlete (with a given  $\dot{E}_{max}$ ) could reach lower speeds in breaststroke than in front crawl: probably because of a larger  $F_d$  and a lower  $\eta_p$  in the former compared to the latter; or 2) why adults swim faster than children: probably because of their larger  $\dot{E}_{max}$  and their larger  $\eta_p$  (better technical skills) despite their larger  $F_d$ .

Eq. 1.4 is, also, useful to understand why a given athlete (with a given  $\dot{E}_{max}$ ) could reach lower speeds in water compared to land locomotion or in swimming compared to boat locomotion: probably because of a larger  $F_d$  and a lower  $\eta_p$  in the former compared to the latter.

In the following sections the methods proposed in the literature to calculate/estimate the energy cost of swimming and its determinants will be briefly discussed. After that the studies in the literature reporting data of energy cost in swimming will be reviewed and discussed in the framework of Eq. 1.3.

## 2 - Metabolic power

The large majority of the studies in the literature report data of sub-maximal energy expenditure essentially because, in this case, it is not necessary to estimate the contribution of the anaerobic energy sources, the determination of which is based on several assumptions. This is a remarkable limitation because swimming races are not carried out at sub-maximal speeds.

### 2.1 Aerobic contribution ( $\dot{E}_{Aer}$ )



Metabolic power ( $\dot{E}$ ) at constant, sub-maximal (aerobic) speeds can be calculated by measuring steady state oxygen consumption by standard open circuit techniques. In these conditions energy expenditure is based on “aerobic energy sources” ( $\dot{E} = \dot{E}_{Aer}$ ) and the rate of ATP utilization is equal to the rate of ATP re-synthesized by lipid and glucose oxidation in the Krebs’s cycle (e.g. di Prampero 1981).

Douglas bags, balloons or portable metabolimeters can be utilized to measure steady state oxygen consumption during exercise but often this is a challenging task in the aquatic environment. As indicated above, when these devices are utilized, diving starts should be avoided and the swimmers should perform open turns. The use of snorkels to collect expired air thus affects turning time as well as some swimming movements (e.g. it virtually eliminates body roll) but the most recent models were shown not to affect hydrodynamic resistance (e.g. Baldari et al. 2012; Ribeiro et al. 2016).

Given the objective difficulties of assessing steady state oxygen consumption in water in some studies an alternative method (the “back extrapolation” technique) is utilized where breath by breath oxygen consumption is recorded at the mouth not during the exercise itself but immediately after it, during the first 30-60 s of recovery (e. g. Zamparo et al. 2000; Zamparo et al. 2008b; Rodriguez et al. 2000; Keskinen et al. 2003; Costill et al. 1985; Montpetit et al. 1981).

Swimming competitions could be disputed over distances from 50 to 1500 m (in the pool), the corresponding world records ranging from about 20 s to 15 min. The 400 m distance is generally taken as the competition eliciting the  $\dot{V}O_{2max}$  of the swimmer (it lasts about 4 minutes in the front crawl). Races over longer distances are mainly based on aerobic energy sources and are swum at a fraction of  $\dot{V}O_{2max}$  that is smaller the longer the race duration (see section 6) whereas races over shorter distances (50, 100 and 200 m) are based on a substantial contribution of the anaerobic energy sources, the more so the shorter the race duration (e.g. Toussaint and Hollander 1994; di Prampero et al. 2011; Capelli et al. 1998); in this case the contribution of the anaerobic (lactic and alactic,  $\dot{E}_{Anl}$  and  $\dot{E}_{AnAl}$ ) energy sources to metabolic power ( $\dot{E}$ ) could play an important role and could not be neglected; in this case:

$$\dot{E} = \dot{E}_{Aaer} + \dot{E}_{Anl} + \dot{E}_{AnAl} \quad 2.1$$

## 2.2 Anaerobic lactic contribution ( $\dot{E}_{Anl}$ )

The lactic contribution to  $\dot{E}$  can be estimated from the net increase of blood lactate concentration ( $La_b$ ) assessed at the end of exercise:  $\dot{E}_{Anl} = \beta La_b \cdot t^{-1}$  where  $t$  is the exercise duration and  $\beta$  is the energy equivalent of lactate (e. g. Prampero 1981); thus,  $\dot{E}_{Anl}$  decreases along with the duration of exercise, independently of the absolute peak lactate concentration in blood. As an example, as shown by Capelli et al. (1998) in maximal front crawl trials over a distance of 100 m,  $\dot{E}_{Anl} = 1.29$  kW (about 47% of  $\dot{E}$ ) whereas over the 200 m distance  $\dot{E}_{Anl} = 0.48$  kW (about 25% of  $\dot{E}$ ) even if in both cases  $La_b$  is similar (e.g. 10-11 mM). For a detailed analysis of the pro and cons of this method the reader is referred to the papers of di Prampero and Ferretti (1999), Capelli et al. (1998) and di Prampero (2003).

## 2.3 Anaerobic alactic contribution ( $\dot{E}_{AnAl}$ )

A direct assessment of the anaerobic alactic energy sources through invasive methods (e.g. muscle extracts) is impracticable so that non-invasive alternatives should be used. The alactic contribution to  $\dot{E}$  can be estimated based on  $PCr$  breakdown at the beginning of exercise:  $\dot{E}_{AnAl} = PCr (1 - e^{-t/\tau}) \cdot t^{-1}$ , where  $PCr$  is the phosphocreatine concentration at rest (in the contracting muscles),  $t$  is the exercise duration and  $\tau$  is the time constant of  $PCr$  splitting at work onset (about 30 s); the implicit assumption is thus made that the time constant of  $PCr$  breakdown at work onset is the mirror increment of the  $\dot{V}O_2$  -on response at the muscle level (e.g. Rossiter et al. 2002).

As is the case for  $\dot{E}_{Anl}$ ,  $\dot{E}_{AnAl}$  decreases along with the duration of exercise, independently of the absolute  $PCr$  concentration at rest. As an example, as shown by Capelli et al. (1998) in maximal front crawl trials over a distance of 100 m,  $\dot{E}_{AnAl} = 0.53$  kW (about 20% of  $\dot{E}$ ) whereas over the 200 m distance  $\dot{E}_{AnAl} = 0.27$  kW (about 14% of  $\dot{E}$ ) (Capelli et al. 1998). For a detailed analysis of the pro and cons of this method the reader is referred to the papers of Capelli et al. (1998) and di Prampero (2003).

Another method to estimate the anaerobic alactic contribution is based on the analysis of the fast component of the  $\dot{V}O_2$  -off kinetics (e.g. di Prampero 1970; Beneke et al. 2002) since in the post-exercise period part of the oxygen debt is necessary to rebuild the high energy substrates splitted at the beginning of exercise (e.g. di Prampero and Ferretti 1999). This method was applied by Sousa et al. (2013) in their analysis of the 200 m front crawl race; these authors have shown that, despite the existence of some caveats regarding both methods ( $PCr$  breakdown or fast -off component), they yield similar values of  $\dot{E}_{AnAl}$ .

Finally, the anaerobic energy contribution can be calculated by means of the accumulated oxygen deficit method, originally proposed by Medbø (1988) and applied to swimming by several authors (e.g. Ogita et al. 2003; Reis et al. 2010; Peyrebrune et al. 2014). This method estimates values of  $\dot{E}_{AnAl}$  somewhat lower than in the two previous cases but, as pointed out by Peyrebrune et al. (2014), these differences could be attributed, besides to methodological issues, to the competitive level of the participants, their specialization and, above all, to differences in the exercise duration (see below). The differences in the relative contribution of the energy systems in short events reflects the difficulties in

estimating/computing  $\dot{E}_{Anl}$  and  $\dot{E}_{AnAl}$  but, compared to less recent literature, these disparities have been greatly reduced (Rodriguez and Mader 2011)

## 2.4 The “Wilkie’s approach”

Another approach reported in the literature to estimate metabolic power ( $\dot{E}$ ) at maximal speed was originally proposed by Wilkie (1980) and later applied to land and water locomotion (e.g. di Prampero 1986; Capelli et al. 1998; Zamparo et al. 1999; Zamparo et al. 2000). With this approach, during all-out test of short duration (less than 2-3 min),  $\dot{E}$  can be calculated as:

$$\dot{E} = E_{Ans} \cdot t^{-1} + \alpha \dot{V}O_{2max} - \alpha \dot{V}O_{2max} \cdot \tau \cdot (1 - e^{-(t/\tau)}) \cdot t^{-1} \quad 2.2$$

where  $\alpha$  is the energy equivalent of  $O_2$  (e. g.  $20.9 \text{ kJ} \cdot 1O_2^{-1}$ , for a respiratory exchange ratio of 0.96),  $\tau$  is the time constant (s) wherewith  $\dot{V}O_{2max}$  is attained at the onset of exercise at the muscular level (about 30 s, Rossiter et al. 2002),  $E_{Ans}$  is the amount of energy derived from anaerobic energy utilization,  $t$  is the time of performance (s) and  $\dot{V}O_{2max}$  is the net maximal oxygen uptake (above resting values). The first term of Eq. 2.2 ( $E_{Ans} \cdot t^{-1}$ ) is the sum of  $\dot{E}_{Anl}$  and  $\dot{E}_{AnAl}$  and can be calculated as described in sections 2.2 and 2.3. The third term of Eq. 2.2. is a measure of the  $O_2$  debt incurred at the onset of exercise and, therefore, the aerobic contribution to metabolic power ( $\dot{E}_{Aer}$ ) can be calculated as the sum of the second and third term of Eq. 2.2:  $\dot{E}_{Aer}$  increases with the duration of exercise becoming equal to  $\alpha \dot{V}O_{2max}$  in maximal trials lasting at least 2-3 min (e. g. more than  $4-5\tau$ ).  $\dot{E}_{Aer}$  calculated in this way was shown to be the same as that directly measured by means of a metabolimeter (e.g. Zamparo et al. 1999).

This approach to estimate  $\dot{E}$  (by means of Eq. 2.2) is discussed in detail by di Prampero (2003) and Capelli et al. (1998) and should be strictly applied only to “square wave” exercises of intensity close or above maximal aerobic power where a true steady state of oxygen uptake cannot be attained and where energy contributions other than the aerobic one cannot be neglected.

The percentage contribution of the aerobic ( $\dot{E}_{Aer}$ ) and anaerobic ( $\dot{E}_{Anl}$ ,  $\dot{E}_{AnAl}$ ) energy sources to total metabolic power respectively increases and decreases as a function of exercise duration (e.g. Capelli et al. 1998; Rodriguez and Mader 2011; Toussaint and Hollander 1994). When calculated with the above methods/equations, these contributions are almost independent of sex, skill and mode of locomotion and depend essentially upon the duration of the exercise ( $t$ ). As an example, for all out efforts of the same duration (about 1 min, e. g. over a distance of 100 m in swimming and 250 m in kayaking) the contribution of the aerobic and anaerobic lactic energy sources is of about 40% and that of the anaerobic alactic energy sources is of about 20% of total metabolic power expenditure (e.g. Capelli et al. 1998; Zamparo et al. 1999).

Finally, metabolic power at race pace can also be estimated by extrapolating the  $\dot{E}$  vs.  $v$  relationship, as determined at sub-maximal speeds, to race speeds. Even if such extrapolations should be taken with care, it can be reasonably assumed that if data calculated at maximal speed and measured at submaximal speeds lay on the same  $\dot{E}$  vs.  $v$  relationship this is evidence of correct estimation of the supra-maximal data (see section 5).

To summarize:  $\dot{E}_{Aer}$ ,  $\dot{E}_{Anl}$  and  $\dot{E}_{AnAl}$  can be considered the “metabolic determinants of  $C$ ” because, once  $\dot{E}$  is known  $C$  can be calculated, at any given speed (see Eq. 1.1). To understand the differences in  $C$  between subjects/among conditions it is, however, important to know which other parameters could influence  $C$ . As indicated by Eq.1.3, these are: hydrodynamic resistance ( $F_d$ ), propelling efficiency ( $\eta_p$ ) and overall efficiency ( $\eta_o$ ). In the following sections these “mechanical determinants of  $C$ ” will be defined and discussed.

## 3 - Mechanical power and efficiency

The increase in metabolic power ( $\dot{E}$ ) with speed reflects the increase in (total) mechanical power output ( $\dot{W}_{tot}$ ) that the muscles have to provide to sustain that speed. As for land locomotion, the total mechanical power of aquatic locomotion ( $\dot{W}_{tot}$ ) can be considered as the sum of two terms (e.g. Cavagna and Kaneko 1977): the power needed to accelerate and decelerate the limbs with respect to the centre of mass (the internal power,  $\dot{W}_{int}$ ) and the power needed to overcome external forces (the external power,  $\dot{W}_{ext}$ ):

$$\dot{W}_{tot} = \dot{W}_{ext} + \dot{W}_{int} \quad 3.1$$

In aquatic locomotion  $\dot{W}_{ext}$  can be further partitioned into the power to overcome drag ( $\dot{W}_d$ ), that contributes to useful thrust, and the power that does not contribute to thrust ( $\dot{W}_k$ ):

$$\dot{W}_{ext} = \dot{W}_d + \dot{W}_k \quad 3.2$$

Both  $\dot{W}_d$  and  $\dot{W}_k$  give water kinetic energy but only  $\dot{W}_d$  effectively contributes to propulsion (e.g. Alexander 1977, Daniel 1991). The efficiency with which the external mechanical power produced by the swimmer is transformed into useful mechanical power is termed Froude (theoretical) efficiency ( $\eta_F$ ) and is given by:

$$\eta_F = \dot{W}_d / \dot{W}_{ext} \quad 3.3$$

The efficiency with which the overall mechanical power produced by the swimmer is transformed into useful mechanical power (to overcome hydrodynamic resistance) is termed propelling efficiency ( $\eta_P$ ) and is given by:

$$\eta_P = \dot{W}_d / \dot{W}_{tot} \quad 3.4$$

The efficiency with which the overall mechanical power produced by the swimmer is transformed into external mechanical power is termed hydraulic efficiency ( $\eta_H$ ) and is given by:

$$\eta_H = \dot{W}_{ext} / \dot{W}_{tot} \quad 3.5$$

Froude, propelling and hydraulic efficiency are of utmost importance in water locomotion since they indicate the capability of the swimmer to transform at best his/her muscular power in power useful for propulsion: they could vary from 0 to 1 (all power is utilized for propulsion). If the internal power ( $\dot{W}_{int}$ ) is nil or negligible:  $\eta_H = 1$  and  $\eta_F = \eta_P$ . Propelling, hydraulic and Froude efficiency refer to the mechanical partitioning only but other two efficiencies should be defined in water locomotion and these take into account also metabolic energy expenditure. The efficiency with which the metabolic power input ( $\dot{E}$ ) is transformed into useful mechanical power output ( $\dot{W}_d$ ) is termed performance (or drag) efficiency ( $\eta_d$ ) and is given by:

$$\eta_d = \dot{W}_d / \dot{E} \quad 3.6$$

The efficiency with which the metabolic power input ( $\dot{E}$ ) is transformed into mechanical power output ( $\dot{W}_{tot}$ ) is termed overall (or gross or mechanical) efficiency ( $\eta_o$ ) and is given by:

$$\eta_o = \dot{W}_{tot} / \dot{E} \quad 3.7$$

It follows that:  $\eta_d = \eta_o \cdot \eta_P$ . Combining Eqs. 3.4 and 3.7 one obtains:

$$\dot{E} = \dot{W}_d / (\eta_P \cdot \eta_o) \quad 3.8$$

which, at any given speed, relates the metabolic power input ( $\dot{E}$ ) with the power needed to overcome hydrodynamic resistance ( $\dot{W}_d$ ) and with propelling ( $\eta_P$ ) and overall ( $\eta_o$ ) efficiency. Since, for any given speed,  $C = \dot{E} / v$  and  $\dot{W}_d = F_d \cdot v$ , it follows that  $C = F_d / (\eta_P \cdot \eta_o)$  and this formally explains Eq. 1.3.

*Fig. 3.1 near here*

This partitioning of the efficiencies in human swimming (see Fig. 3.1) is based on the flow diagram of the steps of energy conversion in steady state aquatic locomotion proposed by Daniel (1991): metabolic energy is converted to contractile work, only a fraction of it goes to moving fluid and of this work, only a fraction goes into useful thrust. It can thus be possible, by knowing the partitioning between useful and non-useful work components, at each step of this diagram, to calculate  $C$  (at a given swimming speed) starting from measures of useful thrust in water at the same speed. Some examples of these calculations are reported in section 5.

Some clarifications are needed in regard to these equations:

- Efficiency is a dimensionless parameter and hence numerator and denominator should be expressed in the same units. Therefore, the efficiencies of aquatic locomotion can be calculated (as above) based on values of mechanical ( $\dot{W}$ ) and metabolic ( $\dot{E}$ ) power, in this case numerator and denominator represent the energy expended in the unit of time (e.g.  $J \cdot s^{-1}$ ). When metabolic energy is expressed as a function of distance (e.g. to highlight the role of the energy cost, which is expressed in  $J \cdot m^{-1}$ ) also the mechanical counterpart has to be expressed in the same units ( $J \cdot m^{-1}$ , work per unit of distance); this can be obtained by dividing  $\dot{W}$  to the speed (as  $\dot{E}$  is divided by the speed to obtain  $C$ ).

- The work, per unit distance, needed to overcome resistive forces (at a given speed) corresponds to the drag force ( $F_d$ ), at that speed ( $J \cdot m^{-1} = N$ ). Indeed when this resistive force ( $F_d$ , N) is measured, at a given (constant) speed ( $v$ ,  $m \cdot s^{-1}$ ), the power to overcome drag ( $\dot{W}_d$ , W) is simply calculated as:  $F_d \cdot v$ .

- At constant speed the sum of propulsive forces must equal the sum of resistive forces; indeed, were a swimmer able to produce propulsive forces larger than the resistive ones he/she would accelerate. At constant speed thrust force

( $F_t$ ) and drag force ( $F_d$ ) should balance: the power needed to overcome drag ( $\dot{W}_d$ ) and the power required to push the swimmer forward ( $\dot{W}_t = F_t \cdot v$ ) can be considered two sides of the same coin.

- Only few studies have investigated so far internal work/power in swimming (e.g. Zamparo et al. 2002, 2005 a; Gonio 2018); therefore data of mechanical work reported in the literature mainly refer to its external component ( $\dot{W}_{tot} = \dot{W}_{ext}$ ); in these cases, the so called values of propelling efficiency are, therefore, values of Froude efficiency (and the implicit assumption is made that hydraulic efficiency = 1).

- Only few studies have investigated so far work and efficiency of the lower limbs (e.g. Zamparo et al. 2002, 2005 a); therefore, the values of Froude/propelling efficiency reported in the literature are, mostly, values of Froude efficiency of the arm stroke.

To summarize, the differences in  $\dot{E}$  (or in  $C$ ) among swimmers (or locomotion modes in water), at any given speed and for a specific  $\eta_o$ , depend on differences in  $\eta_p$  and/or in  $\dot{W}_d$  (or  $\dot{W}_t$ ). For a given locomotion mode, an increase in  $\eta_p$  and/or a decrease in  $\dot{W}_d$  (or  $\dot{W}_t$ ) will lead to a decrease in  $\dot{E}$  (or in  $C$ ) (Eq. 1.3) and this will allow for an increase in the maximal attainable speed (Eq. 1.4).

### 3.1 Hydrodynamic resistance ( $F_d$ ) and power to overcome drag ( $\dot{W}_d$ )

In aquatic locomotion metabolic energy is mainly expended to overcome hydrodynamic resistance ( $F_d$ ), the more so the larger the speed. Air resistance is indeed negligible, in comparison to water resistance, and the Archimedes lift allows the swimmer to spend virtually no energy to remain at the water surface (gravitational work is much reduced compared to land locomotion).  $F_d$  can be considered as the sum of three components: form, friction and wave drag.

i) **Form (pressure) drag**, depends on the shape of the body and on its effects on the water flow; this component of drag increases with the square of swimming speed and prevails at low to moderate speeds (it is about 80% of total - passive and surface- drag at  $1 \text{ m} \cdot \text{s}^{-1}$ , e.g. Pendergast et al. 2005):

$$\text{pressure drag} = \frac{1}{2} \rho C_d A v^2 \quad 3.9$$

where  $\rho$  is water density,  $v$  is the swimming speed,  $C_d$  is the drag coefficient and  $A$  is the projected frontal area (in the direction of movement).  $C_d$  is a coefficient that takes into account the shape of the body in motion; smaller values of  $C_d$  are associated with elongated shapes oriented in the direction of flow (streamlined objects, e.g. Vogel 1994).

For partially submerged bodies (as is the case in swimming)  $A$  is the surface exposed to the water (e.g. the “wetted” area) and depends on:

- the dimensions of the swimmer’s body ( $A$  is greater in heavier and taller swimmers)
- the fraction of the body that is submerged ( $A$  is greater in more muscular, denser, individuals)
- the body incline/the angle of attack ( $A$  is lowest when the body is oriented in the direction of flow)
- the position of the body segments during the stroke cycle ( $A$  differs among swimming stroke).

The first three points indicate that pressure drag depends on the anthropometric characteristics of the subjects:  $C$  was indeed found to increase with body length, mass and surface area and to decrease with buoyancy (e.g. Chatard et al. 1985; Chatard et al. 1990c; Kjendlie et al. 2004a; Kjendlie et al. 2004b). When  $C$  is scaled for body size, inter-subject differences tend to disappear (e.g. Kjendlie et al. 2004a; Kjendlie et al. 2004b; Ratel and Pouiade 2009).

A way to take into account the effects of body size and density is to measure the “leg sinking torque” ( $T$ ) a parameter related to the (static) position the body assumes when immersed in water: taller, heavier and less buoyant swimmers have larger values of  $T$  and are thus expected to require more energy to overcome drag forces. Indeed, men have greater values of  $T$  than women (and adults than children) and spend more energy per unit distance: at slow swimming speeds ( $0.9\text{-}1.1 \text{ m} \cdot \text{s}^{-1}$ ), about 70% of the variability of  $C$  is explained by the variability of  $T$ , regardless the sex, age and technical level of a swimmer (e.g. Pendergast et al. 1977; Zamparo et al. 2008b).

At faster speeds the static and dynamic position in water are no longer related; indeed, body incline and  $A$  decrease with increasing speed (e.g. Zamparo et al. 2009) and at  $1.6 \text{ m} \cdot \text{s}^{-1}$  (and above) no relationship between  $T$  and  $C$  could be observed anymore (Zamparo et al. 2000). As discussed by Yanai and Wilson (2008), the forces caused by the hands and legs movements during swimming affect buoyancy (and  $T$ ) differently than when the body floats motionless in water. As an example, Yanai (2001) showed that, at high swimming speeds (e.g.  $1.6 \text{ m} \cdot \text{s}^{-1}$ ), the arm movements generate a leg raising rather than a leg sinking effect in front crawl; thus, Yanai and Wilson (2008) challenged the interpretation that the larger  $C$  in male adults compared to children (and females) could be attributed to the kicking actions needed to actively counteract the tendency of the legs to sink, this compensation costing some extra energy (Pendergast et al. 1977; Zamparo et al. 2008b; Kjendlie et al. 2004a) and suggest that the differences in  $C$  have to be attributed to differences in body size and composition only.

The fourth point is related to the differences between active and passive drag (see end of this section); during swimming  $A$  is larger than in passive conditions (e.g. when the swimmer is passively towed in water in a streamlined position) because of the movements of the trunk and the limbs during the stroke cycle (e.g. Gatta et al. 2015). A “smooth” and efficient stroke (that minimizes  $A$  during the swimming motion) can thus be expected to lead to a reduction in (active) drag (and hence of  $C$ , as indicated above). Indeed, the differences in  $C$  reflect the differences in  $A$  among strokes (see section 4.1).

1 ii) **Friction drag** depends on the surface characteristics of the body and on the features of the boundary layer  
2 (e.g. a layer of more or less stationary fluid immediately surrounding the body in motion); this component of drag is rather  
3 unaffected by swimming speed (e.g. Wilson and Thorp 2003). To reduce friction drag, swimmers shave their legs, as  
4 cyclists do; the effects of hair removal on the physiological responses in swimming were studied, as an example by Sharp  
5 and Costill (1989) who observed, after shaving, a reduction in the rate of velocity decay during a prone glide after a  
6 maximal underwater leg push-off and a decrease in oxygen uptake during a 400 m breaststroke swim at 90% effort. Full  
7 body swimsuits were developed to reduce this component of drag (that indeed decreases in proportion to the amount of  
8 body surface covered) even if drag reduction seems to be attributable to a reduction in pressure, rather than friction, drag  
9 (e.g. Mollendorf et al. 2004; Cortesi et al. 2014). As shown, as an example, by Chatard and Wilson (2008), using full  
10 body swimsuits allows to significantly reduce (passive) drag and this is associated with a decrease in performance time  
11 and in the energy cost of swimming, as it can be expected based on Eqs. 1.3 and 1.4.

12 iii) **Wave drag** depends on the wave formation at the water surface; this component of drag increases with  
13 swimming speed and is prevailing at the highest speeds attained in swimming competitions (about 60% of total -passive  
14 and surface-drag at  $1.7 \text{ m} \cdot \text{s}^{-1}$ ; Vennel et al. 2006). Wave drag decreases in proportion to the level of immersion of the  
15 body: at the surface it can be up to 2.4 times than when fully immersed, as demonstrated by Vennel et al. (2006) by  
16 towing a mannequin in a swimming flume and, more recently, by Tor et al. (2015) by towing a swimmer in a pool. To  
17 our knowledge no studies have been conducted so far to assess the effects of wave drag on the energy expenditure/energy  
18 cost of swimming perhaps because to single out the effects of this component of drag is not an easy task. The effects on  
19 energy expenditure could, however, be inferred from Eqs. 1.3 and 1.4 since speed largely increases when swimmers move  
20 underwater (as an example after starts and turns). Another (indirect) approach to quantify the effects of wave drag on  
21 energy expenditure is to investigate the effects of drafting distance between swimmers. As is the case for cycling, a  
22 sheltered position (when swimming in the wake of another swimmer) allows for a significant decrease in drag and energy  
23 cost depending on the distance from the leading swimmer when drafting (e.g. Basset et al. 1991, Chatard and Wilson  
24 2003; Janssen et al. 2009). Morphology influences wave drag: a taller swimmer generally swims faster because he/she  
25 creates less wave resistance at a given speed and has a greater potential for maximal speed (e.g. Kjendlie and Stallman  
26 2011). This is the same for boat locomotion: the longer the scull the faster the maximal attainable speed (see section 7).  
27 As pointed out by Kjendlie and Stallman (2011) a greater stature is a determinant in sprint swimming but is not so critical  
28 for long distance races where speed, and therefore wave resistance, is lower and the leg sinking torque is greater.

29 Hydrodynamic resistance determined by towing a non-swimming subject through the water is defined as passive  
30 drag. Data of passive drag reported in the literature are fairly consistent even in different experimental designs (e.g.  
31 Havriluk 2005; Havriluk 2007; Scurati et al. 2019). In the gliding phases of a race (after starts and turns) it is important  
32 to maintain the best hydrodynamic position (to reduce as much as possible passive drag). Since these phases correspond  
33 to 10-25% of the race, depending on race distance and pool length (e.g. Lyttle and Blanksby 2011), it is not surprising  
34 that passive drag was found to be a good evaluator of swimming performance (e.g. Chatard et al. 1990a; Chatard et al.  
35 1990b).

36 When passive drag is measured, no propulsion is provided by the swimmer whereas, during swimming, the limbs  
37 movements create propulsion but also create additional resistance; thus, active drag is expected to be significantly larger  
38 than passive drag. Measuring active drag is clearly more interesting/informative than measuring passive drag if one wants  
39 to understand the effects of hydrodynamic resistance on energy expenditure but how to measure active drag is a  
40 controversial issue in swimming literature (e. g. Wilson and Thorp 2003; Toussaint et al. 2004; Havriluk 2007; Zamparò  
41 et al. 2009). The reader is referred to Zamparò et al. (2011) for some historical considerations about this point. The most  
42 recent papers (based on paradigms/methods, proposed after 2011) indicate that active drag is from 1.5 to 2.5 times larger  
43 than passive drag (Formosa et al. 2012; Gatta et al. 2015; Narita et al. 2017). As is the case for energy expenditure/energy  
44 cost, active drag is mainly studied in front crawl swimming and there is paucity of data regarding the other swimming  
45 strokes.

### 46 3.2 Internal and “wasted” power ( $\dot{W}_{int}$ and $\dot{W}_k$ )

47 There are not many data in the literature regarding  $\dot{W}_{int}$  and  $\dot{W}_k$ ;  $\dot{W}_k$  was (and can be) estimated based on measures of  $\eta_F$ ,  
48  $\dot{W}_d$  and  $\dot{W}_{ext}$  (e.g. Zamparò et al. 2005a). Relatively more attention, in the literature, was given to  $\dot{W}_{int}$ : as for land  
49 locomotion it was found to depend on the movement frequency and on the inertial properties of the moving limbs. In the  
50 front crawl  $\dot{W}_{int}$  is larger the larger the speed and is larger in the leg kick than in the arm stroke (e.g. Zamparò et al.  
51 2005a) and this provides a quantitative mechanical explanation of the suboptimal hydraulic efficiency in lower compared  
52 to upper limbs motion. As for land locomotion, a reduction in movement frequency (at a given speed) is thus expected to  
53 lead to a decrease in energy expenditure (e.g. Minetti et al. 1995). Indeed, as shown by Zamparò et al. (2002, 2005a) the  
54 decrease in stroke frequency (and hence in  $\dot{W}_{int}$ ) when fins are used allows to sensibly reduce the energy cost/energy  
55 expenditure of swimming. This is also confirmed by studies on hand paddles that also induce (at a given speed) both a  
56 decrease in stroke frequency and in the energy expenditure of swimming (e.g. Ogita and Tabata 1993; Tsukonawa et al.  
57 2019). The decrease in stroke frequency when fins/hand paddles are used, is also associated to an increase in propelling  
58 (or Froude) efficiency (see section 7); according to equation 1.3 this formally explains why  $C$  decreases when movement  
59 frequency decreases (e.g. when Froude efficiency increases).

1 The internal power ( $\dot{W}_{int}$ ) was also found to increase with stroke frequency in the breaststroke (Lauer et al. 2015);  
2 in this case the limbs action is synchronous, and no major differences are observed between upper and lower limbs.  
3 Interestingly, these authors found that the swimmers have the ability to moderate the increase in  $\dot{W}_{int}$  at increasing stroke  
4 frequencies (a strategy of energy minimization) by reducing the angular excursion of the heaviest segments (thighs and  
5 trunk) in favour of the lighter ones (shanks and forearms).

6 As pointed out by Lauer et al. (2015) and discussed in many studies regarding these matters in land locomotion  
7 (e.g. Kautz and Neptune 2002), internal and external power might be coupled to some extent and cannot be regarded as  
8 independent, additive components (as depicted in figure 3.1). Moreover in water, compared to land locomotion, the inertia  
9 of the “added mass of water” should be accounted for in the calculations of  $\dot{W}_{int}$ ; indeed, an immersed body behaves as  
10 it was heavier and additional mechanical work is required against both the inertia of the body and that of the displaced  
11 fluid (Lauer et al. 2015). These matters need to be further investigated in swimming studies.

### 12 3.3 Drag efficiency and overall efficiency ( $\eta_d$ and $\eta_o$ )

14 Even if the methods developed so far to determine active and/or passive drag are quite debated in the literature, they  
15 consistently indicate that less than 10% of metabolic power input can be transformed into useful mechanical power output  
16 ( $\eta_d = 0.03-0.09$ ) in swimming (e.g. Zamparo et al. 2011); the lowest values of  $\eta_d$  being reported in the studies where  
17 passive drag is assessed instead of active drag. Only few studies investigated so far overall (sometimes defined mechanical  
18 or gross) efficiency in swimming (e.g. Toussaint et al. 1990a, Zamparo et al. 2005a) and, also in this case, quite different  
19 values were reported in the literature ( $\eta_o = 0.10-0.20$ ), due to the different methods proposed to measure/estimate total  
20 mechanical power. The reader is referred to Zamparo et al. (2011) for some historical considerations about this point.

21 The “uncertainty” in the values of  $\eta_d$  and  $\eta_o$  does not depend on the denominator of Eqs. 3.6 and 3.7, since  
22 metabolic power can, nowadays, be measured with a good accuracy also in the aquatic environment (see section 2); rather,  
23 it depends on the estimates of the nominator of these equations (e.g. mechanical power output). Thus, reports of a lower  
24 efficiency in aquatic, compared to land, locomotion can be attributable to an underestimation of mechanical power output  
25 (or of one of its components) rather than to inefficiency *per se*.

26 However, whereas the power to overcome drag should necessarily be measured in water (and this is not an easy  
27 task), total mechanical power can also be measured outside it, with the aid of proper ergometers. As recently pointed out  
28 by Cortesi et al. (2018), notwithstanding the difficulties of accurate reproduction of the swimming movements outside  
29 the water, laboratory based ergometry (swim benches and swimming ergometers) can be used to investigate the  
30 mechanical requirements of swimming. Zamparo and Swaine (2012) calculated  $\eta_o$  by using a whole-body swim  
31 ergometer and found it to be, in competitive swimmers, of  $0.23 \pm 0.01$  (when considering the external work only). Similar  
32 values ( $0.21 \pm 0.02$ ) were obtained when investigating just the action of the arms (arm-ergometer, dry-land) in male master  
33 athletes (Zamparo et al. 2014). These values are similar to those found in cycling and in rowing where  $\dot{W}_{ext}$  is easily  
34 measurable with proper ergometers. Values of  $\eta_o$  of about 0.25 should indeed be expected for all cyclic forms of  
35 locomotion in which no recoil of elastic energy takes place and for which mechanical power output can be accurately  
36 assessed. Thus, the “rather low” values of overall (gross) swimming efficiency reported in less recent studies seem indeed  
37 to be attributable to an incomplete computation of all work components/energy losses.

### 38 3.4 - Froude and Propelling efficiency ( $\eta_F$ and $\eta_P$ )

39 A swimmer needs to produce more mechanical power than that needed to overcome (active) drag when he/she moves in  
40 water: Froude/propelling efficiency indicates the fraction of external/total mechanical power that can be utilized in water  
41 to produce useful thrust. Thus, to calculate Froude/propelling efficiency both the work to overcome drag and the  
42 external/total work must be computed. Again, this is not an easy task in the aquatic environment and quite different values  
43 were reported in the literature (0.20-0.80) due to the different methods utilized to measure/estimate  $\dot{W}_d$ ,  $\dot{W}_k$  and  $\dot{W}_{int}$ . The  
44 reader is referred to Zamparo et al. (2011) for some historical considerations about this point.

45 In the last decade a different approach to determine Froude efficiency was proposed: it attempts to estimate  $\eta_F$   
46 based on measures of speed (easier to determine in this environment), rather than on measures of power. The rationale is  
47 that while a swimmer moves forward at constant speed ( $v$ ) the upper limbs move forward and backward with a (larger)  
48 velocity ( $u$ ) relative to the body. The ratio  $v/u$  is proportional to the theoretical (or Froude) efficiency in animal locomotion  
49 (Alexander 1983) as well as in all fluid machines (pumps, turbines, propellers, water wheels and paddle wheels) (e.g. Fox  
50 and McDonald 1992). The limbs velocity ( $u$ , the hand speed for the arm stroke) can be directly measured by means of  
51 underwater kinematic analysis (e.g. Figuereido et al. 2011; Gonio et al. 2018) or estimated, by modelling the upper arms  
52 motion as if it was a paddle wheel motion (e.g. Zamparo et al. 2005a). The values of  $\eta_F$  calculated with this method, even  
53 if sometimes referred to as values of propelling efficiency, are indeed values of Froude efficiency (of the arm stroke only).  
54 In the many studies published so far with this model,  $\eta_F$  was found to be at most of 0.40-0.45 (in male elite front crawl  
55 swimmers), as expected on theoretical grounds (Zamparo and Swaine 2012, see below), and not to differ from the values  
56 of  $\eta_F$  measured by means of kinematic analysis (e.g. Figuereido et al. 2011). As shown by Zamparo (2006), when  
57 calculated with this model,  $\eta_F$  (front crawl) changes as a function of age (is as low as 0.20 in young swimmers and in  
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masters) and no major differences are observed between males and females at all ages: mechanical power output could be lower in females but they have, for the same technical skill, the same ability to transform it into useful power for propulsion. Froude efficiency decreases with speed as stroke length (SL) does (e.g. Peterson-Silveira et al. 2016) and indeed a significant correlation can be observed between these two parameters: larger values of  $\eta_F$  are associated to larger values of SL (e.g. Zamparo et al. 2005a; Zamparo et al. 2014; Toussaint and Hollander 1994).

Thus, were a swimmer, at a given speed, able to reduce his/her movement frequency (thus increasing his/her stroke length), his/her internal power would decrease (see section 3.2), his/her Froude efficiency would increase and his/her energy cost would decrease (see Eq. 1.3).

A recent study of Gonio et al. (2018) reports data of  $v/u$  ratio (assessed by 3D kinematic analysis) also in the backstroke, with lower values compared to front crawl (0.34 vs. 0.40 at a speed of about  $1 \text{ m}\cdot\text{s}^{-1}$ ); as it can be expected in the framework of Eq. 1.3, these difference in efficiency are associated with differences in energy cost between these strokes. No data of Froude efficiency are reported in the literature for the butterfly and the breaststroke.

A further approach to investigate Froude efficiency was put forward by Zamparo and Swaine (2012): indeed,  $\eta_F$  can be calculated based on values of drag efficiency and overall (gross) efficiency ( $\eta_F = \eta_d / \eta_o$ ). Based on measured values of  $\eta_o$  of about 0.23 (obtained by using a whole-body swimming ergometer in dry conditions) and since the values of  $\eta_d$  reported in the literature could be at most 0.09, Froude efficiency could be at most 0.39. This value is close to those determined with the methods described above (based on the  $v/u$  ratio) thus confirming that humans can transform less than half of total power output into power useful for propulsion when moving in water.

A recent proof in favour of these estimates, comes from a study of Gatta et al. (2017) who recently measured (external) mechanical power by means of a whole-body swimming ergometer in a group of sprinters and found these values larger than those of thrust power in the same swimmers. The ratio of useful power (thrust power, exerted in water) to external mechanical power (exerted outside the water, with the ergometer) is of 0.40, a value close to that obtained by means of the “paddle wheel method” (0.39) on the same swimmers (in both cases these are values of Froude efficiency).

Last but not least, the limbs speed ( $u$  in the  $v/u$  ratio) is that of the upper limbs only but also the lower limbs contribute to propulsion (to the value of  $v$ ); thus, either the swimmers should be asked to use a pull buoy (and in this case propulsion is totally provided by the arms) or the effects of leg kick should be accounted for (e.g. Zamparo et al. 2005a). Not taking into account the contribution of the legs implies an overestimation of the arm stroke efficiency (Peterson Silveira et al. 2017).

#### 4. Factors influencing the energy cost of swimming

According to Eq. 1.3 the determinants of the energy cost of swimming are propelling efficiency, hydrodynamic resistance and overall efficiency. Whereas overall efficiency is seldom investigated in swimming studies, many factors are known to influence  $C$  through their effects on drag or propelling efficiency, or both (e.g. morphological characteristic could affect both drag and propelling efficiency). To single out the effects of one factor, the other “confounding factors” must be kept constant. As an example: i) sex differences can be meaningfully evaluated only in swimmers with the same technical level because technical skill has a deep influence on  $C$  (e.g. Morris et al. 2016); ii) age differences in  $C$  should be evaluated at the very same speed, even if it could be difficult to make a senior master swim at the same speed of a younger one (e.g. Zamparo et al. 2012a); iii) differences among strokes should be evaluated in swimmers with similar anthropometric and physiological characteristics otherwise the eventual differences in  $C$  would reveal differences in hydrodynamic resistance and fitness level (e.g. Gonio et al. 2018). Many of the “discrepancies” reported in the literature about the energy cost of swimming and its determinants could be referred to these (and similar) considerations.

##### 4.1. Speed and stroke

The energy cost of swimming increases with speed and differs among strokes. After the seminal work of Holmer (1974), the most complete analysis of the effects of speed and stroke on the energy expenditure of swimming was performed by Capelli and coworkers (1998) who measured  $C$  in young elite male swimmers in the four strokes at submaximal and maximal speed. For this population the relationship between  $C$  and  $v$  is well described by the following equations: front crawl:  $C = 0.670 \cdot v^{1.614}$ , backstroke:  $C = 0.799 \cdot v^{1.624}$ , breaststroke:  $C = 1.275 \cdot v^{0.878}$ , butterfly:  $C = 0.784 \cdot v^{1.809}$ . Hence, for a given speed,  $C$  is lowest for the front crawl followed by the backstroke, the butterfly and the breaststroke being the most demanding strokes (e.g. Holmer 1974; Capelli et al. 1998). Similar conclusions were reported in more recent studies where only one or few speeds were investigated, mainly in the aerobic speed range (e.g. Barbosa et al. 2006; Gonio et al. 2018), (see Figure 4.1).

*Fig. 4.1 near here*

For a given stroke, the increase in  $C$  with speed, is mainly attributable to the concurrent increase in water resistance while, at any given speed, the differences in  $C$  among strokes could be attributed to differences both in  $F_d$  and  $\eta_p$  (Eq. 1.3). As an example, as suggested by Gonio et al. (2018) front crawl is less costly than backstroke (at a speed of about  $1 \text{ m}\cdot\text{s}^{-1}$ ) because of differences in  $\eta_p$  (larger in front crawl) rather than in hydrodynamic resistance. Indeed, no major differences

in frontal area (and hence in  $F_d$ ) were observed between these two strokes (Gatta et al. 2015). Unfortunately, values of  $F_d$  (in active conditions) and  $\eta_p$  are not available for the other strokes.

Differences in  $C$  between strokes could also be attributed to the different role of the lower and upper limbs to propulsion; in the breaststroke the leg push (less efficient) plays a more important role than in the other strokes, where propulsion is essentially generated by the arm pull (more efficient).

Besides swimming stroke also swimming style/technique could influence  $C$ , but this topic is less investigated in the literature. As an example, the amount and timing of body roll in front crawl and backstroke can influence drag as well as propelling efficiency (Payton and Sanders 2011) and this is expected to influence  $C$ . Another example are the different styles in the breaststroke (e.g. flat or undulating): timing and degree of undulation influence  $F_d$  (or at least its determinants, such as frontal area) and probably also  $\eta_p$ ; indeed, different breaststroke styles/techniques are characterized by differences in swimming economy (e.g. Vilas-Boas and Santos 1994). The duration of the gliding phase in the breaststroke was also observed to influence  $C$ , at controlled speed (e.g. Seifert et al. 2014b); in this case the differences in  $C$  were not attributed to differences in frontal area (and hence in  $F_d$ ) but to differences in the intra-cyclic variations in speed ( $IVV$ ) and in interlimb coordination. The effects of these parameters on  $C$  are discussed in more detail in sections 4.4 and 4.6, respectively.

## 4.2. Stroke parameters (length and frequency)

Swimming velocity is determined by stroke length and stroke frequency ( $v = SL \cdot SF$ ). An increase in swimming speed is generally obtained by an increase in  $SF$  while  $SL$  remains stable at low-moderate speeds and tends to decrease at fast speeds. The relationship between these three parameters is unique for each stroke (e.g. Craig and Pendergast, 1979) and each swimmer selects his/her unique combination of  $SL$  and  $SF$  to reach and maintain the highest possible speed. Stroke parameters are related to the swimmer's technical ability: faster swimmers, indeed, swim with a greater  $SL$  and with a slower rate (e.g. Craig and Pendergast, 1979; Craig et al. 1985). Several studies have shown that an increase in  $SF$  is associated with an increase in  $C$  in all strokes (e.g. Wakayoshi et al. 1995; Barbosa et al. 2005; Smith et al. 1988) even if in many of these studies the effects of  $SF$  on  $C$  were observed during incremental protocols and this actually reflects the effect of  $v$  on  $C$ . The effect of  $SF$  on  $C$  was, however, observed also when controlling for speed, in all strokes (e.g. Barbosa et al. 2008). This suggests that if a swimmer were able to reduce  $SF$  at a given speed, his/her  $C$  at that speed would decrease: the manipulation of stroke mechanics is thus a factor through which  $C$  can be altered.

The effect of  $SF$  on  $C$  could be attributed to two main mechanisms: i) an increase in  $SF$  brings about an increase in  $\dot{W}_{int}$  (see section 3.2); this, in turn, would increase  $\dot{W}_{tot}$  and metabolic power requirements; ii) an increase in  $SF$ , at a given speed, is necessarily associated with a decrease in  $SL$  (e.g. in propelling efficiency, see section 3.4) that would also increase energy expenditure (see Eq. 1.3).

As reviewed by Barbosa et al. (2010) a clear relationship between  $C$  and  $SL$  is not observed in all studies/strokes, probably because speed was not controlled (otherwise the changes in  $SF$  mirror the changes in  $SL$ ). Moreover, at variance with  $SF$ ,  $SL$  remains stable at slow to moderate speeds and thus its effects on  $C$  could be better appreciated at maximal speed. Indeed, in these conditions, the decrease in speed brought about by the development of local fatigue is always associated to a decrease in  $SL$  (e.g. Craig and Pendergast 1979; Craig et al. 1985) and a consequent increase in  $C$  (e.g. Figureido et al. 2011).

The most complete analysis of the effects of stroke mechanics on energy expenditure (in front crawl) was performed by Termin and Pendergast (2000) who investigated the effects of a four years "high-speed training" on the  $v$ - $SF$  relationship and on energy expenditure (see Figures 4.2a and 4.2b). The 8-10% increase in performance over the 100-200 m distances (greater than the 3% improvement generally observed for more conventional, long distance training programs) was attained by a shift of the  $v$ - $SF$  relationships up and to the right (+10% per year): at sub-maximal speeds the swimmers were able to sustain each speed with a lower  $SF$  (and thus with a larger  $SL$ ); in addition, they were able to reach a faster  $v_{max}$  (+27%) also because they were capable to reach and sustain a higher  $SF_{max}$  (+8%). These authors have furthermore shown that these changes in stroke mechanics are "coincident" with a decrease in the energy cost of swimming over the entire range of speeds (-20%) and to an increase in  $\dot{E}_{max}$  (+16%) both in its aerobic ( $\dot{V}O_{2max}$ : +48%) and anaerobic ( $\dot{E}_{AnL}$ : +35%) components, as it could be expected based on Eq. 1.2: the increase in  $v_{max}$  is, therefore, attributable to both by an increase in  $\dot{E}_{max}$  and a decrease in  $C$ .

*Fig. 4.2 a near here*

*Fig. 4.2 b near here*

## 4.3. Training, detraining and skill level

The American College of Sports Medicine guidelines (ACSM 2018) underline that energy expenditure "can vary substantially from individual to individual during swimming as a result of different strokes and skill levels". Indeed, technical skill in swimming deeply influences  $C$  because of its effects on  $\eta_p$  (and, to a lower extent, also on  $F_d$ ). As indicated by Holmer (1972), for any given speed in the aerobic range, a recreational swimmer can spend as much as twice the energy that a good swimmer uses for proceeding in water at the same speed and the latter consumes about 20-30%



more energy than an elite swimmer at comparable speeds (see Figure 1.1). Similar results were reported by Chatard et al. (1990c) who investigated swimmers of three performance levels: at a given speed (e.g.  $1.1 \text{ m}\cdot\text{s}^{-1}$ ) the more proficient swimmers expend 50% less energy than less proficient ones and 25% less than the intermediate group.

The volume of aerobic or anaerobic training and specialization in long distance or sprint events have an impact on energy expenditure: at submaximal speeds sprinters generally have a higher  $C$  than long distance swimmers (e.g. Seifert et al. 2010b; Chatard et al. 1990c). This reveals the importance of the testing protocol: long distance swimmers are expected to be less proficient when asked to perform maximal sprints whereas sprinters are at disadvantage when performing aerobic tasks. This could explain why, in some studies, differences in  $C$  between competitive swimmers grouped for swimming speed (high or low) tend to disappear (Ribeiro et al. 2017); in this latter study a maximal 100 m sprint was utilized and this is expected to put “slow” swimmers at disadvantage (raising their  $C$ ) and to favour high speed sprinters. Indeed, Ribeiro and coworkers (2017) reported lower values of propelling efficiency, over this distance, in long distance swimmers compared to sprinters; lower values of  $\eta_P$ , according to Eq. 1.3, are associated with larger values of  $C$ . These considerations highlight the difficulty of singling out the factors that affect swimming performance.

Training is expected to improve technical skills and to lead to a significant decrease in  $C$  through an increase in  $\eta_P$ ; on the other hand detraining is expected to lead to a decrease in  $\eta_P$  and an increase in  $C$ . A significant effect of training on the energy cost of swimming was observed after a 4 years “high-speed training program” (e.g. Termin and Pendergast 2000, see Figures 4.2 a and 4.2 b); this was not observed in other studies (e.g. Costa et al. 2012; Clemente Suarez et al. 2017) probably because of different training stimuli (intensity and volume) and a much lower training duration.

Accordingly, the effects of detraining are expected to depend on the duration of the training cessation: short (typically the off-season) or long-term detraining (e.g. Mujika and Padilla, 2000). Caution should be taken when investigating the effects of training/detraining in young swimmer since changes in  $C$  and  $\eta_P$  could also derive from growth and maturation (see section 4.7): as an example, the “expected” increase in  $C$  after detraining could be offset by improved stroke mechanics, such as a higher  $SL$  because of an increase in arm span (e.g. Moreira et al. 2014; Zacca et al. 2019) that are generally associated to a decrease in  $C$  (see section 4.7).

Differences in  $C$  after training/detraining can also derive from differences in  $F_d$  (in active conditions). Data of active drag before and after 4 years of a “high-speed training protocol” (i.e. collected during the study of Termin and Pendergast, 2000) are reported by Pendergast et al. (2005): active drag decreased of 15-35% and, according to Eq. 1.3, this reduction contributes to the reduction in  $C$  observed after the training period.

#### 4.4. Intra-cyclic velocity variations

Swimmers do not move at constant speed (see section 1) and the speed profile shows intra-cyclic variations ( $IVV$ ) that differ according to the swimming stroke: larger in breaststroke and butterfly than in freestyle and backstroke (e.g. Craig and Pendergast, 1979). Large velocity fluctuations increase the work needed to proceed at a certain velocity, both for the need to overcome inertia and drag. A “smooth motor pattern”, with reduced  $IVV$ , is thus expected to minimize  $C$ . Indeed the differences in  $C$  among strokes can be (at least partially) attributed to their differences in  $IVV$  and the effects of  $IVV$  on  $C$  are more easily observed in breaststroke and butterfly (e.g. Vilas-Boas, 1996; Barbosa et al. 2005) than in front crawl and backstroke (e.g. Figuereido et al. 2013; Gonio et al. 2018) where the  $IVV$  are much lower. In some studies on this topic the effects of  $IVV$  on  $C$  were, however, “overestimated” because the relationship between  $C$  and  $IVV$  was investigated by pooling data collected over a wide range of speeds (e.g. Barbosa et al. 2005) and thus rather reflects the effects of  $V$  on  $C$ . The discrepancies in the findings of the studies in this area can be attributed, among the others, to the methods used to measure  $IVV$  and their limitations. In a study of Psycharakis et al. (2010) the  $IVV$  were accurately measured (in  $3D$  and relative to the body centre of mass) during a 200 max front crawl swim and showed a noteworthy consistency across laps (regardless of the decrease in speed due to fatigue):  $IVV$  are thus not correlated to swimming performance (to average speed). Similar findings were observed by Figuereido et al. (2012, 2013) who, in addition, observed that  $C$  increased from the first to the last lap of a 200 m max trial while  $\eta_P$  decreased: thus  $IVV$  are not associated to changes in  $C$  or  $\eta_P$  either and cannot be considered an index of swimming efficiency/economy (at least in front crawl). Figuereido et al. (2013) observed that  $IVV$  remain stable along the effort because the swimmers adapt their pattern of coordination during the race to cope with fatigue; they indeed found significant correlations between the index of coordination ( $IdC$ ) and  $C$  or  $\eta_P$  (see section 4.6).

#### 4.5. Arms, legs and whole stroke

A comprehensive analysis of the energetics of swimming with arms only ( $AO$ ), legs only ( $LO$ ) and with the whole stroke ( $WS$ ) was performed by Holmer (1974) in the four strokes at speeds up to  $1.2\text{-}1.4 \text{ m}\cdot\text{s}^{-1}$  (in a swimming flume). He reported that, at any given speed, energy expenditure ( $\dot{V}O_2$ ) is lower in  $AO$  (with pull buoy) compared to  $WS$  and is the largest in  $LO$  (with kickboard) in all strokes but the breaststroke (where no major differences in  $\dot{V}O_2$  are observed among conditions). Holmer (1974) also reported that, in all strokes, larger values of  $\dot{V}O_{2max}$  (and  $v_{max}$ ) could be attained in  $WS$  compared to  $LO$  and  $AO$ ; he furthermore investigated the differences in water resistance (during passive towing) when using a pull buoy or a kickboard.

More recent literature confirms and extends these findings focusing, mainly, on front crawl swimming at maximal

1 speed. The leg kick is, *per se*, very energy demanding (e.g. Holmer 1974; Zamparo et al. 2002) but its contribution to the  
2 whole stroke allows to increase  $v_{max}$  in front crawl of about 10% (e.g. Deschodt et al. 1999; Morris et al. 2016; Gourgoulis  
3 et al. 2014; Ribeiro et al. 2015); at submaximal swimming speeds this contribution tends to decrease (e.g. Peterson Silveira  
4 et al. 2017). At sprinting speed, energy expenditure is larger in *WS* than in *AO* not only because of the larger muscle mass  
5 involved but also because of the differences in  $v_{max}$ ; both factors are indeed responsible for the observed differences in  
6 the energy demands and in the energy system contribution in these two conditions (e.g. Ogita et al. 1996; Ribeiro et al.  
7 2015).

8 The lower limbs action is relevant for trunk balance, buoyancy and overall coordination (e.g. Gatta et al. 2012)  
9 but the leg kick not only helps to keep the body in a more streamlined position reducing  $A$  (and hence  $F_d$ ) (e.g. Gourgoulis  
10 et al. 2014) but also has an influence on the propulsive action of the arms modifying the trajectory of the hand (Gourgoulis  
11 et al. 2015; Deschodt et al. 1999) and increasing stroke length (and hence improving  $\eta_p$ ) (Zamparo et al. 2005a; Peterson  
12 Silveira et al. 2017; Morris et al. 2016). As underlined several times in this review, speed must be controlled when  
13 investigating the effects of the leg kick and arm stroke on the whole stroke, otherwise the observed differences in energy  
14 expenditure/energy cost could be (also) attributed to differences in speed. On this line of reasoning Morris et al. (2016,  
15 2017) compared *AO*, *LO* and *WS* at controlled kick and stroke rates (since these parameters are known to affect  $C$ ).  
16 Interestingly Morris et al. (2016) observed that, at paired and moderate speeds,  $C$  in *AO* was larger than in *WS* in males  
17 than in females probably because they have to increase more their core activation (in the arms only effort) to maintain a  
18 hydrodynamic body position (even when using a pull buoy) (see section 4.7).

19 The effects of the leg kick on the kinematics of the arm stroke indicate that inter-limb coordination (e.g.  
20 synchronization of arm and leg movements) should be optimized to decrease  $C$  and improve swimming performance (see  
21 section 4.6).

#### 22 4.6 Inter-limb coordination

23  
24 Swimming propulsion is based on the coordinate action of the upper and lower limbs. When swimming speed increases  
25 the swimmers change their arms (and legs) coordination to adapt to the higher water resistance encountered. The index  
26 of coordination ( $IdC$ ) reflects changes in the organization of the stroking phases and measures the time gap between the  
27 pull and push phases of the upper arms in front crawl (e.g. Chollet et al. 2000). Other indexes were proposed to measure,  
28 the time gap between the upper and lower limbs movements in the breaststroke (e.g. Seifert et al. 2014a). The  $IdC$   
29 increases (becomes less negative) with speed and, for a given speed, is higher in males than in females of comparable  
30 technical skill (Seifert et al. 2004), is higher in more skilled swimmers (e.g. Seifert et al. 2010a) and in sprinters compared  
31 to long distance swimmers (e.g. Seifert et al. 2010b); for these reasons, differences in  $IdC$  among swimmers could be  
32 expected to correlate with difference in  $C$ . However, in several studies on this topic the relationship between  $IdC$  and  $C$   
33 was investigated by pooling data collected over a wide range of speeds, actually reflecting the effects of  $v$  on  $C$  (e.g.  
34 Komar et al. 2012; Seifert et al. 2010b); according to these studies a high  $IdC$  is associated with an elevated energy cost  
35 (which is indeed paradoxical). As shown by Fernandes et al. (2010) when “removing the effect of velocity” the  
36 relationship between  $IdC$  and  $C$  becomes, indeed, non-significant.

37 Seifert et al. (2014a and 2014b) investigated whether the coordination pattern (at a given, submaximal, speed of  
38 about  $1 \text{ m s}^{-1}$ ) can be adapted /constrained (e.g. by asking the swimmers to increase or decrease their gliding phase duration  
39 in front crawl and backstroke) and whether these adaptations are associated to changes in the metabolic demands. They  
40 observed that, in front crawl, the freely chosen pattern is the most economical one (probably because more trained) and  
41 that a high  $IdC$  is associated with a low  $C$  (which seems reasonable, but contrary to previous results, see above) (e.g.  
42 Seifert et al. 2014a). Expert breaststroke swimmers, instead, select the coordination pattern that involves the minimal  
43 glide duration, which is characterized by the lower  $IVV$  and lower  $C$  (Seifert et al. 2014b). This suggests that, also in  
44 swimming, movement is adapted with respect to energy cost minimization, as in terrestrial locomotion (e.g. Sparrow and  
45 Newell 1998)

46 At maximal speeds (e.g. a 200 m max front crawl swim) the decrease in speed from lap 1 to 4 is associated to an  
47 increase in  $IdC$ , a decrease in  $\eta_p$  and an increase in  $C$  (with no changes in  $IVV$ ); in these conditions a higher  $IdC$  is thus  
48 associated with a high  $C$  (e.g. Figuereido et al. 2013). The interplay between all these parameters is therefore complicated  
49 by fatigue involvement and this, again, highlights the difficulty of singling out the factors that affect swimming  
50 performance.

#### 51 4.7. Age and sex

52  
53 Both  $\eta_p$  and  $F_d$  depend on the anthropometric characteristics of the swimmer and both change during growth (along with  
54 body development and training). Therefore,  $C$  is expected to differ between children and adults and between males and  
55 females (see Figure 4.1).  $C$  is about 20-30% lower in females than in males, at submaximal swimming speeds (e.g. Chatard  
56 et al. 1991; Morris et al. 2016; Pendergast et al. 1977; Zamparo et al. 2000; Zamparo et al. 2008b), the higher economy  
57 of female swimmers is traditionally attributed to a smaller hydrodynamic resistance ( $F_d$ ) due to their smaller size, larger  
58 percentage of body fat and more horizontal position in water (lower  $A$ ) compared to male swimmers (e. g. Zamparo et al.  
59 1996; Zamparo et al. 2008b; Pendergast et al. 1977; di Prampero, 1986). Since no major differences in the anthropometric  
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61  
62  
63  
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65

characteristics are observed between males and females before puberty, no differences in  $C$  are observed between boys and girls (of similar technical skills) in childhood as well (e.g. Zamparo et al. 2008b; Ratel and Poujade, 2009).

Only few studies have investigated, so far, the determinants of swimming economy in children and adolescents. These studies indicate that, at comparable speed,  $C$  is indeed lower in children than in adults (e.g. Kjendlie et al. 2004a; Kjendlie et al. 2004b; Poujade et al. 2002; Ratel and Poujade, 2003), the more so the younger the age (Zamparo et al. 2008b). The higher economy of children is attributed to a smaller hydrodynamic resistance due to their smaller size and more horizontal position in water (e.g. Zamparo et al. 2008b; Kjendlie et al. 2004a). The increase in  $C$  with growth could, at least in part, be attributed to an increase in (pressure) drag; however, the increase in stature during growth also results in a better streamline of the body (e.g. length/thickness ratio) and in an increase in Froude number (e.g. a decrease in wave making resistance, see section 3.1) (e.g. Toussaint et al. 1990b; Kjendlie and Stallman, 2008): the effects of age on drag (and on  $C$ ) are thus part of a quite complex process that takes place during growth. As reported in section 3.1, when  $C$  is scaled for body size (e.g. length or surface area) the differences in age and sex tend to disappear (e.g. Ratel and Poujade 2009; Kjendlie et al. 2004a; Kjendlie et al. 2004b;).

When normalized for their anthropometric characteristics, the differences in  $C$  between males and females tend also to disappear; this implicitly suggests that no major differences in propelling efficiency are to be expected between male and female swimmers of the same age and technical skill as indeed found in some studies (e.g. Zamparo 2006; Zamparo et al. 2008b). Sex differences can be, however, observed in  $SL$  (an index of propelling efficiency) that is lower, at a given speed, in females compared to males of the same technical level (e.g. Zamparo 2006; Seifert et al. 2007) and age (e.g. Zamparo et al. 2008b). Young (pre-pubertal) swimmers are instead characterized by lower  $\eta_P$  values compared to adults, the more so the younger the age (Zamparo, 2006; Zamparo et al. 2008b) but this, more than to age *per se*, can be attributed to differences in technical skill. Indeed, in some studies, it was observed that when  $C$  is normalized to body dimension (e.g. stature or BSA) children are less economical than adults (e.g. Poujade et al. 2002; Kjendlie et al. 2004b) and this can be attributed to differences in technical skill (and hence in  $\eta_P$ ).

Taken together, the values of (absolute) energy cost reported in the literature indicate that: i)  $C$ , at a given speed, is lower the lower the age (see Figure 4.1); ii) the increase in  $C$  with age is steeper in boys than in girls; so that iii)  $C$  is larger in males than in females (see Figure 4.1). In both sexes, maximal aerobic and anaerobic power (the determinants of  $\dot{E}_{max}$ , see Eq. 1.2) increase with age and training, contributing to the improvement in performance and possibly masking the effects of changes in  $\eta_P$  and  $F_d$  (and therefore of  $C$ ) on  $v_{max}$ .

Master swimmers are characterized by a lower economy (a higher  $C$ ) compared to young swimmers, the more so the older the age (Zamparo et al. 2012a). The decrease in maximal metabolic power that occurs with age forces these swimmers to reduce their speed (Donato et al. 2003; Tanaka and Seals 1997; Zamparo et al. 2012b). At very low speeds ( $< 0.8\text{-}0.9\text{ m}\cdot\text{s}^{-1}$ ) this is associated with an unfavourable alignment of the body (an increase in  $A$  that reduces the decrease in  $F_d$  that can be expected based on the decrease in speed alone); more importantly, though, with age a deterioration in  $\eta_P$  occurs bringing about an increase in  $C$  (of about 0.75% per year after the age of 50) (Zamparo et al. 2012a). The differences in  $\eta_P$  and  $C$  observed in the study of Zamparo et al. (2012a) could be partially attributed to differences in  $V$  (the eldest swimmers were not able to sustain the target speed of  $1\text{ m}\cdot\text{s}^{-1}$ ) and to differences in technical skill between swimmers of different ages. In a more recent study of Mejias et al. (2014) no differences in  $C$  and  $\eta_P$  were observed between young masters (formerly elite swimmers; 30 years of age) and competitive swimmers (20 years old) but the experiments were performed at relative and not absolute speeds (a 200 m maximal test); since the masters were swimming at slower speed but with the same  $C$  of the elite swimmers this suggests that they would be less economical if tested at comparable speed. Further studies should thus be performed to understand the complex relationship between age *per se*, technical skill and detraining in this population. In any case, as indicated by Zamparo et al. (2012b), no major changes in  $C$  should be expected before 50 years of age since, up to this age, the decrease in  $\dot{E}_{max}$  fully explains the decrease in swimming performance (see Eq. 1.2).

When comparing swimmers with different technical level (e.g. children, adults and master swimmers) a given absolute speed could correspond to different relative intensities: children (and old master swimmers) are expected to swim at a higher percentage of their aerobic maximal velocities compared to competitive swimmers so that, in some studies, it was preferred (reasonably) to compare different populations at the same relative, instead of at the same absolute, velocity (e.g. Ratel and Poujade; 2009, Zocca et al. 2017). However, since  $C$  changes with speed, differences in  $C$  at “relative speeds” could reveal the effect of  $V$  on  $C$ . Again, these considerations highlight the difficulty of singling out the factors that affect swimming performance in different populations of swimmers.

## 5. “Reasonable” assumptions

As indicated in the previous sections to measure  $\eta_P$ ,  $\eta_O$  and  $F_d$  is of paramount importance to understand the source of variability in the energy cost of swimming but, unfortunately, this is not an easy task and indeed the different methods proposed so far in the literature to assess/calculate these parameters yield very different results. The reader is referred to Zamparo et al. (2011) and Zamparo and Swaine (2012) for a detailed discussion on this point.

As reported in the previous sections, the most recent evidence (in front crawl swimming) indicates that:

- active drag is larger than passive drag ( $F_{d\text{ active}} \sim 1.5 F_{d\text{ passive}}$ )

- Froude efficiency is of about 0.4
- overall efficiency is of about 0.2

If these values are “reasonable”, it should be possible to estimate  $C$  with fairly good accuracy. Indeed, based on data of  $F_d$  (active drag) and  $\eta_F$  at a given speed external mechanical power can be calculated ( $\dot{W}_{ext} = F_d v / \eta_F$ ); based on data of  $\dot{W}_{ext}$  and  $\eta_O$  it is thus possible to calculate  $\dot{E}$  ( $= \dot{W}_{ext} / \eta_O$ ) and hence  $C$  ( $= \dot{E} / v$ ). These estimates could then be compared to the values of  $C$  reported in the literature, at that speed.

The  $C$  vs.  $v$  relationship in elite (male) collegiate swimmers reported by Capelli et al. (1998) is indicated by the continuous line in Fig. 5.1 and the white circle indicates the  $C$  value measured at maximal speed (1.75 m·s<sup>-1</sup>) in these swimmers, over the 100 m distance.

Let’s take a “typical value” of passive drag for a competitive male swimmer (e.g.  $F_{d\ passive} = 25v^2$ ) and assume that  $F_{d\ active} \sim 1.5 F_{d\ passive}$  (therefore  $F_{d\ active} = 37.5v^2$ ) let’s further assume that  $\eta_P = 0.4$  and  $\eta_O = 0.2$  and let’s use Eq. 1.3 to estimate the energy cost at this speed:  $C = (37.5 \cdot 1.75^2) \cdot (0.40 \cdot 0.20) = 1.44 \text{ kJ}\cdot\text{m}^{-1}$ . This value is not far from that reported by Capelli and coworkers (white circle: 1.73 kJ·m<sup>-1</sup>) and it is indeed expected to be somewhat lower if only because the internal work is not taken into account (these calculations are based on  $\dot{W}_{ext}$  instead of  $\dot{W}_{tot}$ ) and because active drag is probably larger than that assumed here (see Gatta et al. 2015). The important point, however, is that the values of  $\eta_P$ ,  $\eta_O$  and  $F_d$  utilized in these calculations are indeed quite “reasonable”. Indeed, when these calculations are repeated by considering passive drag instead of active drag, the value of  $C$  drops to 0.95 kJ·m<sup>-1</sup>; if, in addition, Froude efficiency is considered to be as large as 0.70 (as reported in some studies),  $C$  further drops to 0.55 kJ·m<sup>-1</sup> (see white squares in Fig. 5.1). To “correct” for these “un-correct” assumptions (to regain a value of  $C$  close to that reported by Capelli et al. 1998) overall efficiency should be of about 0.015 and this seems, indeed, “not reasonable”.

*Fig 5.1 near here*

Another example can be based on data of  $C$  reported by Zamparo et al. (2005b) in elite (male) open water swimmers while covering a 2 km distance at a speed of 1.43 m·s<sup>-1</sup>. Considering the same assumptions as above:  $C = (37.5 \cdot 1.43^2) \cdot (0.40 \cdot 0.20) = 0.96 \text{ kJ}\cdot\text{m}^{-1}$ . This value is not far from that reported in the study of Zamparo and coworkers (1.19 kJ·m<sup>-1</sup>) and measured based on aerobic energy sources only (therefore no “assumptions” were needed in that study to calculate/estimate the anaerobic energy sources, which are indeed negligible in these conditions). Again, beyond the consideration that the calculated value is expected to be somewhat lower than the measured one, by considering passive drag instead of active drag, the calculated value of  $C$  drops to 0.64 kJ·m<sup>-1</sup>; if, in addition, Froude efficiency is considered to be as large as 0.70,  $C$  further drops to 0.37 kJ·m<sup>-1</sup> (see black squares in Fig.5.1).

These simple calculations show that our knowledge of the determinants of  $C$  in swimming is, nowadays, “quite reasonable”, at least for the front crawl. Of course, more research is needed to refine the estimates of  $F_{d\ active}$ ,  $\eta_P$  and  $\eta_O$ . The example at maximal speed (where also anaerobic energy sources are utilized) indicates, albeit indirectly, that also our estimates of metabolic power input (the other parameter that determines performance in swimming,  $E'_{max}$ ) are indeed “fairly well known”, nowadays.

## 6 - Open-water swimming and ultra-endurance races

Open-water swimming (OWS) is an outdoor endurance discipline that takes place in oceans, seas, rivers and lakes. Conventional races are covered over the 5, 10 and 25 km distances (the 10 km race is an Olympic event since 2008) whereas in ultra-endurance races the swim course is typically longer than 30 km. The three most challenging open-water swims worldwide are the ‘English Channel Swim’ (34 km), the ‘Catalina Channel Swim’ (32.2 km) and the ‘Manhattan Island Marathon Swim’ (45.9 km) also called the ‘Triple Crown of Open Water Swimming’.

For these disciplines Eq. 1.2 can be written as:

$$v_{end} = F\dot{V}O_{2max} / C \tag{6.1}$$

where  $F$  is the fraction of  $\dot{V}O_{2max}$  (maximal oxygen uptake) that can be sustained during the race, and  $v_{end}$  is the endurance speed (di Prampero 1986).

As reviewed by Baldassarre et al. (2017) the  $\dot{V}O_{2max}$  values of elite middle-distance and open water swimmers are comparable to those reported for athletes specialized in endurance events on land (e.g. marathon runners): about 60 and 70 ml·min<sup>-1</sup>·kg<sup>-1</sup> for female and male swimmers, respectively (e.g. Dwyer 1983). However, rather than a high  $\dot{V}O_{2max}$  *per se*, the ability to sustain an elevated fraction of  $\dot{V}O_{2max}$  is the factor associated to a good performance in endurance events (e.g. di Prampero 1986). Even if no specific studies on these matters were performed in swimming, in land locomotion (e.g. running) it was observed that, in well trained subjects and for races shorter than 8-10 min,  $F$  is close to 1 and that  $F$  decreases steadily with race duration (e.g. to 0.77, 0.73, 0.69 and 0.65 after 1, 2, 4 and 8 hours respectively, as reported by Peronnet and Tibault 1989). As shown by Tam et al. (2012) in marathon runners,  $F\dot{V}O_{2max}$  corresponds to the ratio of the speed attained at the lactate threshold to  $v_{end}$ .

1 It seems thus logical to hypothesize that being able to swim at a high fraction of  $\dot{V}O_{2max}$  is important for all open  
2 water races as well as in pool events over the longest distances (e.g. 1500 m). Eq. 6.1 indeed indicates that larger values  
3 of  $v_{end}$  would be attained by swimmers with larger values of  $F\dot{V}O_{2max}$  and/or with higher speeds at lactate threshold.  
4 Indeed, in elite open water swimmers, VanHeest et al. (2004) reported that lactate threshold occurred at a speed equal to  
5 89% of peak pace for males and 94% for females. Other estimates (e.g. Zamparo et al. 2005b) are close to these values:  
6 91% and 97% for males and females during a 10 km OW competition.

7 Direct measurements of energy expenditure during open water swimming races are technically difficult and the  
8 few studies reported in the literature focused mainly on cardiovascular responses (heart rate monitoring) and stroke  
9 mechanics. Stroke frequency ( $SF$ ) and Stroke length ( $SL$ ) of a master swimmer while solo crossing the Adriatic sea (78.1  
10 km in 23:44 h:min) were monitored by De Joannon et al. (2015): after the first 3 hours,  $SL$  and swimming speed started  
11 to decrease and  $SF$  to increase; besides the possible effects of environmental conditions (tides, current and waves) on  
12 stroke mechanics this suggests a detrimental effect of fatigue on swimming technique. It has indeed been shown that, in  
13 fatiguing conditions,  $SF$  tends to increase and  $SL$  to decrease (e.g. Zamparo et al. 2005b; Figuereido et al. 2011; Toussaint  
14 et al. 2006) and since  $SL$  is an index of propelling efficiency (see section 3.4) a decrease in  $SL$  is expected to bring about  
15 an increase in  $C$ . This was indeed observed by Zamparo et al. (2005b) who measured  $C$  in elite endurance swimmers  
16 (during 400 m swims in the pool) before and after a “fatiguing” 2 km trial performed at 10 km race pace. The authors  
17 noted an increase in  $C$  (about 20%) and  $SR$  after the fatiguing trial and a decrease in  $SL$ , suggesting a decrease in propelling  
18 efficiency in fatigued conditions.

19 Endurance swimmers are characterized by values of  $C$  comparable to those of short distance swimmers (matched  
20 for sex, competitive level and age) and females have lower values of  $C$  compared to males at the same swimming speed  
21 (Zamparo et al. 2005b). As indicated in section 3.1, the smaller body size and greater fat percentage in females results in  
22 less drag and lower energy cost; thus, according to Eq. 6.1, and considering the larger values of  $F\dot{V}O_{2max}$  in females this  
23 suggests that they are particularly “suited” for excelling in long distance events.

24 FINA does not hold official world records for open water swimming competitions since weather, water conditions,  
25 temperature and tides can considerably affect race time, irrespective of race distance (see figure 6.1). Contrary to other  
26 endurance races (i.e. marathon) where athletes race for best performances, OWS races are tactical events: successful  
27 swimmers adopt a “conservative tactic” during the race and increase their speed only in the last lap; the lead group is  
28 indeed unified until the last buoy to benefit from drafting (see section 3.1) (Rodriguez and Veiga 2017, Baldassarre et al.  
29 2017, Baldassarre et al. 2018).

30 *Fig. 6.1 near here*

31 *Fig. 6.2 near here*

32  
33 Even if evaluating OWS performance in terms of swimming speed can be misleading, sex differences in  
34 performance (for a given course) can indeed be compared and are of interest. The sex difference in swimming speed in  
35 elite swimmers competing in conventional 5, 10 and 25 km races is smaller (~7%. e.g. Vogt et al. 2013) compared to  
36 other ultra-distance disciplines such as running (up to 27% e.g. Zingg et al. 2014). Sex differences are further reduced in  
37 ultra-endurance swimming events, where women could swim faster than men (see figure 6.2). In the 32 km ‘Catalina  
38 Channel Swim’ and the 46 km ‘Manhattan Island Marathon Swim’, the fastest women ever were faster than best-  
39 performing men (Sandbakk et al. 2018). The fastest ever to complete the Triple Crown was, indeed, a woman performing  
40 the 3 races within 36 days in 70:00 h:min (Knechtle et al. 2014).

## 41 7. Locomotory tools and boat locomotion

42  
43 Changes in the energy cost of swimming can be observed when passive locomotory tools, such as fins and hand paddles,  
44 are used for moving in water. In analogy with locomotion on land these tools do not supply any additional mechanical  
45 energy to the body but provide effective compensation for limitations in the anatomical design and for inadequacy in  
46 muscle performance (Minetti 2004).

47 Fins, as an example, reduce the energy cost of front crawl swimming, at a given speed; of about 10-15% and this  
48 reduction is associated to a reduction in kick (and stroke) frequency and to an increase in  $\eta_F$  and  $\eta_P$  (Zamparo et al.  
49 2005a). Energy expenditure, at a given speed, is also reduced when using hand paddles and, also in this case, this is  
50 associated to an increase in  $\eta_F$  (Ogita and Tabata 1993; Ogita et al. 1999; Toussaint et al. 1991). An increase in  $\eta_F$  and a  
51 decrease in stroke frequency when using hand paddles were also observed in other studies (e.g. Gourgolis et al. 2006;  
52 Tsunokawa et al. 2019), the entity of these changes being proportional to the paddle surface, as in the case of fins. Thus,  
53 when small locomotory tools are used, the gain in speed/economy mainly derives from an increase in efficiency rather  
54 than a decrease in resistive forces, the power to overcome drag (when measured) being essentially unaffected by their use  
55 (e.g. Zamparo et al. 2005a; Tsunokawa et al. 2019).

56 Fins and hand paddles increase  $\eta_F$  and  $\eta_P$  essentially because they increase the “propelling surface area”; for a  
57 given propulsive force this means giving a larger amount of water a smaller change in velocity, thus reducing the kinetic  
58 energy dissipation (the term  $\dot{W}_k$ , see section 3.2). Accordingly, hands and foot size are also expected to affect swimming  
59 performance (Kjendlie and Stallman 2011) and energy cost. A small finger spread increases the “functionally equivalent”  
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palm area possibly allowing the swimmers to enhance, albeit to a small extent, swimming propulsion (e.g. Minetti et al. 2009; van Houwelingen et al. 2017).

Far larger improvements in speed/economy can be observed when “larger tools” (e.g. human powered boats) are utilized. In this case, the lower energy requirement compared to swimming at a given speed, is not only attributable to an improvement in efficiency but also to a substantial decrease in hydrodynamic resistance (Pendergast et al. 2003).

As is the case for swimming, the energy cost of boat locomotion increases as a function of speed and depends on the type of boat (and on the skill level of the athlete). For kayaking with a flat-water sprint K1 scull  $C = 0.020 \cdot v^{2.26}$  (Zamparo et al. 1999) and with a slalom canoe  $C = 0.098 \cdot v^{1.76}$  (Pendergast et al. 1989), for rowing (two-oared shell with coxswain, for one rower)  $C = 0.088 \cdot v^{1.05}$  (di Prampero et al. 1971), for sculling a venetian gondola  $C = 0.155 \cdot v^{1.67}$  (Capelli et al. 1990), for pedalling with a water bike (a double hulled catamaran)  $C = 0.063 \cdot v^{1.57}$  (Zamparo et al. 2008a) or with a paddle wheel boat (used on lakes and beaches for recreational purposes)  $C = 0.179 \cdot v^{2.66}$  (Zamparo et al. 2008a).

The values of  $C$  at a speed of  $2 \text{ m}\cdot\text{s}^{-1}$ , are reported in figure 7.1 for all these boats: the more economical mean of transportation is the K1 scull, followed by the catamaran and the rowing boat; the larger values of  $C$  being observed in the less hydrodynamic crafts (e.g. gondola and paddle wheel boat).

*Fig. 7.1 near here*

In analogy with swimming studies, in kayaking  $C$  was found to be up to 30-50% lower (at paired speeds) in elite than in less experienced paddlers (Pendergast et al. 1989; Buglione et al. 2011). These differences were attributed to differences in propelling efficiency. As is the case for swimming, for the same skill level, male kayakers were found to be less economical than females (Pendergast et al. 1989): a 5-12% difference in  $C$ , increasing with increasing speed. In this case the difference was attributed to differences in  $W_d$  (a lower body mass in female kayakers and hence a lower wetted area of the boat). Moreover, as previously indicated for swimming (section 4.3), training decreases the energy cost of boat locomotion (of about 25-33 % in rowing and 6-10% in kayaking) due to both an increase in propelling efficiency and a decrease in drag (e. g. after 4 years of training active drag can be reduced of 18-50% in kayaking; Pendergast et al. 2005).

As reviewed by Pendergast et al. (2003), hydrodynamic resistance, in boat locomotion, is largely reduced compared to swimming and the differences in drag among boats roughly mirror those in  $C$ . The most economical boats are long and narrow and are made of new generation of materials (e.g. carbon-fibre reinforced plastic) that decrease “dead weight” (as is the case for the newest bicycles on land); the shape of the fastest boats is now believed to have reached a nearly optimal design (Greidanus et al. 2012). Compared to swimming, drag is thus reduced because wetted area, pressure drag and wave drag are reduced. At variance with swimming, however, in rowing, sailing or canoeing pressure and wave drag contribute only for 10-20% to total drag and friction drag is the major source of resistance to motion (80-90%) at the typical flow conditions for these sports (Greidanus et al. 2012). Therefore, friction drag reduction is a main issue in boat locomotion and boat wetted surfaces are generally treated to reduce turbulent flow (in a similar way that swimmers shave or wear suits) (see section 3.1).

Pressure drag is lower in boat locomotion (e.g. rowing and kayaking) compared to human swimming because boats are narrow whereas wave drag is low because long boats create less wave drag. Hull speed is the speed where the wavelength along the hull equals the hull length, above hull speed the cost of propulsion increases sharply. Since hull speeds is positively correlated with the boat length, the fastest boats are the longest ones (from 8 to 17 m in rowing), as the fastest swimmers (front crawl sprinters) are, generally, the tallest ones (e.g. Kjendlie and Stallman 2011) (see section 3.1).

In boat locomotion also oars length matters, as is the case for the upper limb length in swimmers, another anthropometric characteristic that influences swimming performance (e.g. Kjendlie and Stallman 2011). As indicated by Pendergast et al. (2003), the distance covered by the hull for each cycle (a parameter that corresponds to the “distance covered per stroke”, or stroke length, in swimming) is larger the longer the propulsive tool (oars/blades): about 8 m in rowing and 4 m in kayaking (it is at most 2-2.5 m in swimming) and is proportional to propelling efficiency which, in boat locomotion, ranges from 0.4 (for paddle wheel boats, a value similar to that of front crawl swimming) to 0.70 (in rowing and kayaking) (e.g. Pendergast et al. 2003). In the framework of Eq. 1.3, therefore, boats allow to decrease the energy cost of locomotion in water, compared to swimming, both because a decrease in hydrodynamic resistance and because an increase in propelling efficiency.

Thus, the knowledge of the parameters that affect performance in boat locomotion could be utilized to understand swimming performance (and *viceversa*) and human locomotion in water can be described by similar rules in spite of differences in the type of propeller (e.g. legs, arms), in the tools utilized (e.g. fins, paddles, boats) and in the pattern of movement (e.g. synchronous in rowing and butterfly, alternate in kayaking and front crawl).

## 8. Summary and Conclusions

Propelling efficiency and hydrodynamic resistance are the major determinants of the energy cost of swimming (of aquatic locomotion, in more general terms); these parameters are difficult to measure in the water environment but recent evidence suggests that the estimates of  $\eta_p$  and  $F_d$  are nowadays “quite reasonable” thus allowing to estimate  $C$  with good accuracy,

1 at least in front crawl. Compared to less recent literature, there is greater consensus also on the methods to  
2 estimate/calculate metabolic power (based on which  $C$  is calculated) at maximal speed; the number of studies that  
3 investigate  $C$  and its determinants at race pace has, indeed, increased recently.

4 Many factors are known to influence  $C$  through their effects on  $\eta_p$ ,  $F_d$ , or both (e.g. sex, age, training ...). To  
5 single out the effects of one of these factors, the other “confounding factors” must be kept constant but this is not always  
6 easy to do or even reckoned; some of the “discrepancies” reported in the literature about the determinants of  $C$  can be  
7 attributed to this issue. In particular, it is important to control for speed because, when speed increases,  $F_d$  is bound to  
8 increase, along with energy expenditure.

9 Swimming research is fascinating, the challenges imposed by the water environment are sometimes frustrating but  
10 also stimulate imaginative attempts to develop new methods to derive quantitative (and reasonable) data; compared to  
11 land locomotion much remains to be done in this field. We hope that this review could serve as a general framework to  
12 understand the complex interplay between the many factors that are known to influence  $C$ , and hence swimming  
13 performance.

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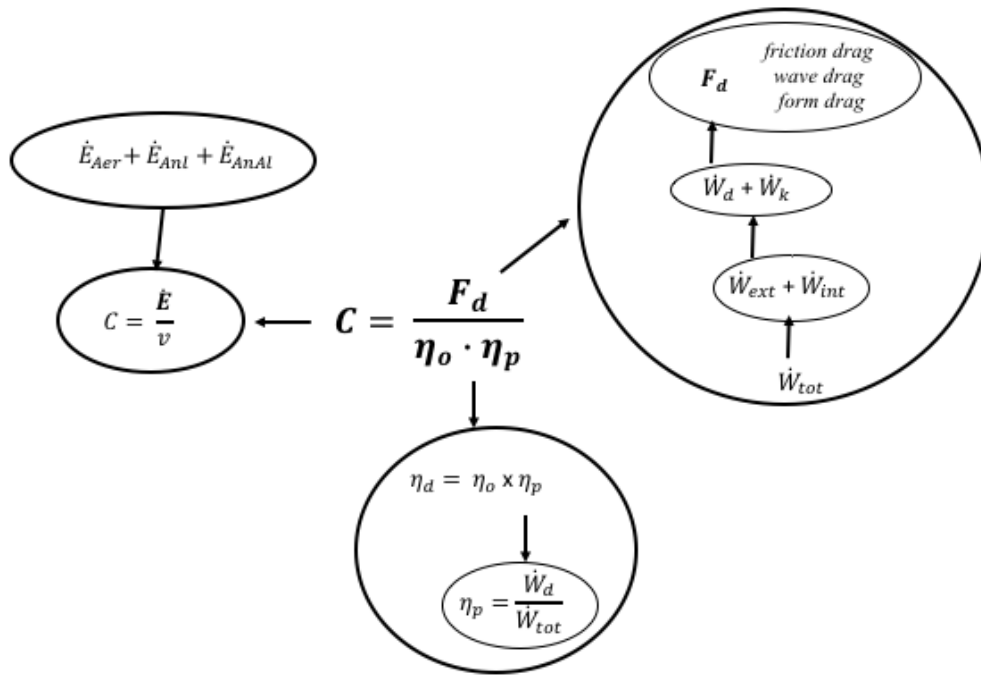
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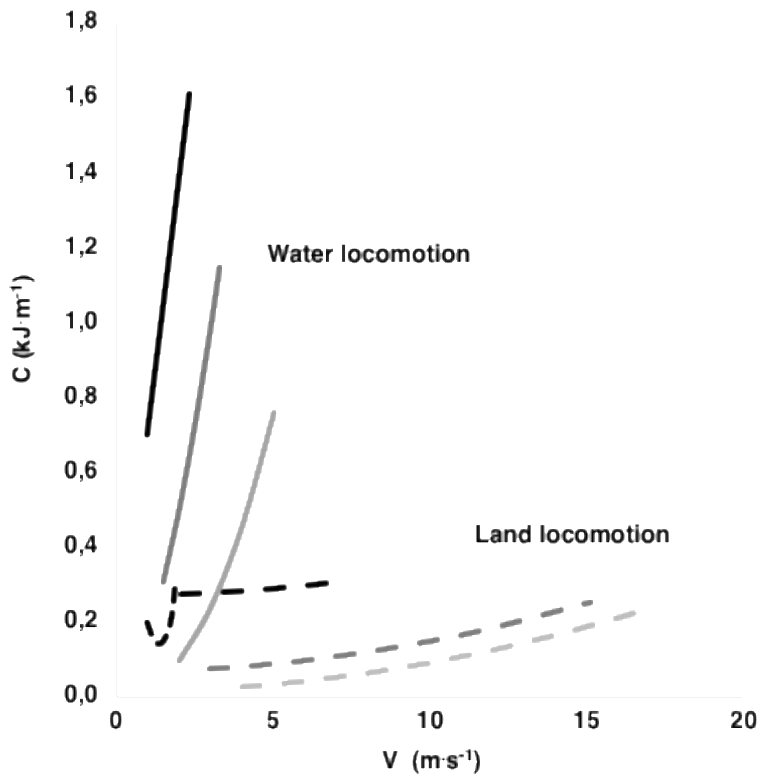
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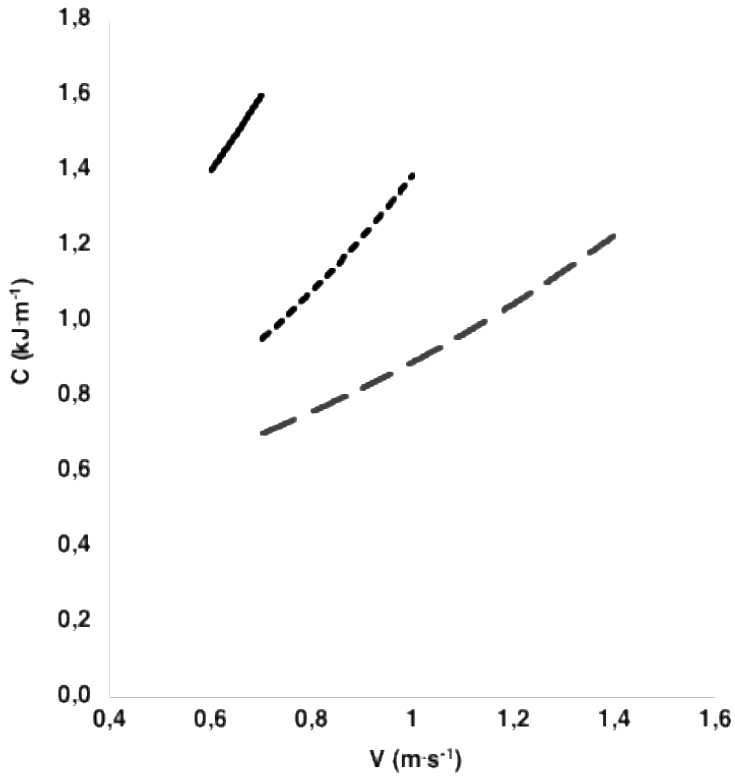
**Figure 1.** Conceptual diagram of the key determinants of the energy cost of swimming ( $C$ ).  $C$  is calculated as the ratio between metabolic power ( $\dot{E}$ ) and swimming speed. In turn,  $\dot{E}$  can be derived from aerobic ( $\dot{E}_{Aer}$ ) or anaerobic (lactic and alactic,  $\dot{E}_{Anl}$  and  $\dot{E}_{AnAl}$ ) energy sources: these could be considered the “metabolic determinants” of  $C$ ; the “mechanical” determinants of  $C$  are (essentially) drag and propelling efficiency.  $C$  is indeed larger the larger the (active) drag ( $F_d$ ) which can be considered as the sum of three components: form, friction and wave drag. The power to overcome drag ( $\dot{W}_d$ ) can be calculated by multiplying  $F_d$  by the swimming speed.  $\dot{W}_d$  is only a fraction of the total mechanical power ( $\dot{W}_{tot}$ ) provided by the muscles and propelling efficiency indeed indicates the efficiency of this transformation. All the factors that are known to influence  $C$  (e.g. speed, stroke, age, sex, training ...) mainly act through their effects on  $F_d$ ,  $\eta_p$  or both. See text for details.



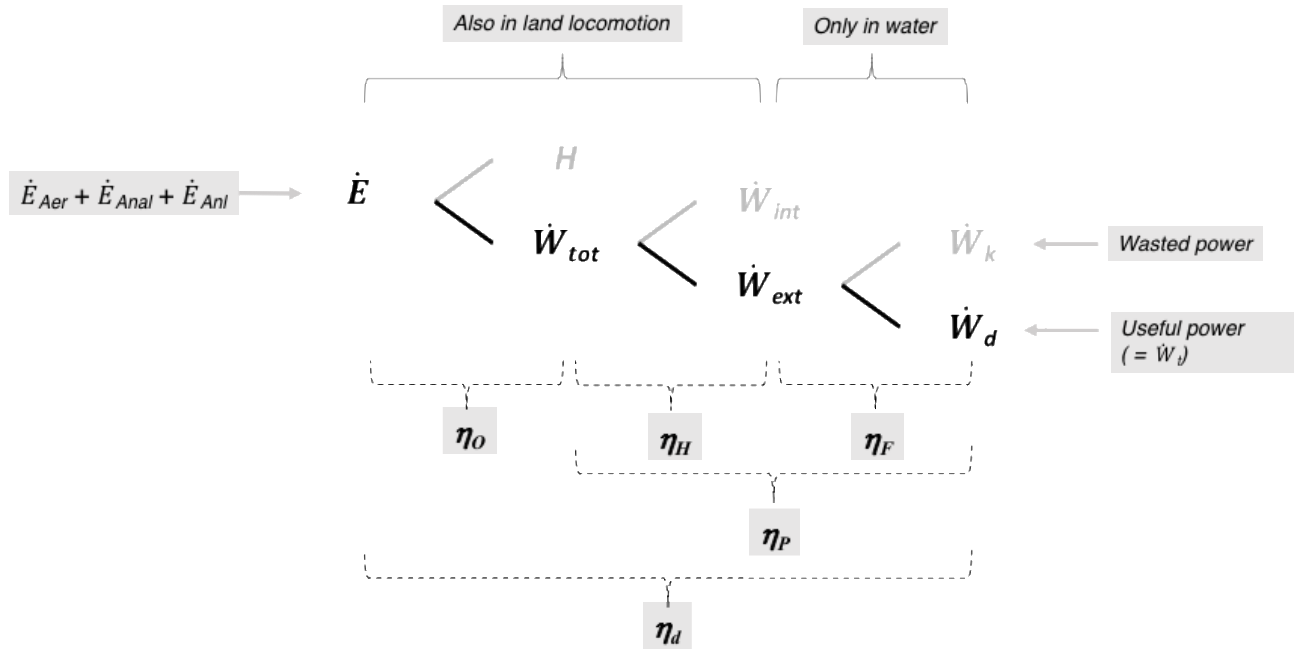
**Fig. 1.1** The energy cost of locomotion in water (continuous lines) increases with a steeper rate than that of land locomotion (dashed lines); the use of locomotory tools on land (skates: dark grey dashed line; bicycles: grey dashed line) and in water (gondola: dark grey continuous line; kayak: grey continuous line) allows for a decrease in energy expenditure compared to locomotion without tools (walking and running: black dashed line; front crawl swimming: black continuous line). For a given subject (characterized by a given  $\dot{V}O_{2max}$ ) the maximal speed that can be attained in these different modes of locomotion is thus different (lower in water than on land) and this, depends indeed on the energy cost of each specific form of locomotion (larger in water than on land). Land locomotion (as reported by di Prampero 1986): running:  $C = 270 + 0.72 \cdot v^2$ ; speed skating on ice (“dropped posture”):  $C = 70 + 0.79 \cdot v^2$ ; cycling (standard racing bike, “dropped posture”):  $C = 13 + 0.77 \cdot v^2$ . Water locomotion: front crawl swimming:  $C = 228 \cdot 10^{0.488 v}$  (Capelli et al. 1998); sculling a venetian gondola:  $C = 155 \cdot v^{1.67}$  (Capelli et al. 1990); kayaking:  $C = 20 \cdot v^{2.26}$  (Zamparo et al. 1999).



1 **Fig. 1.2** Energy cost of front crawl swimming for a recreational swimmer (continuous line) a good swimmer (dotted line)  
2 and an elite swimmer (dashed line) (adapted from Holmer 1972);  $C$  is larger, at a given submaximal speed, and increases  
3 with a steeper rate, in less experienced swimmers; the swimmers with better technical skills can thus reach larger values  
4 of speed (see text for details).  
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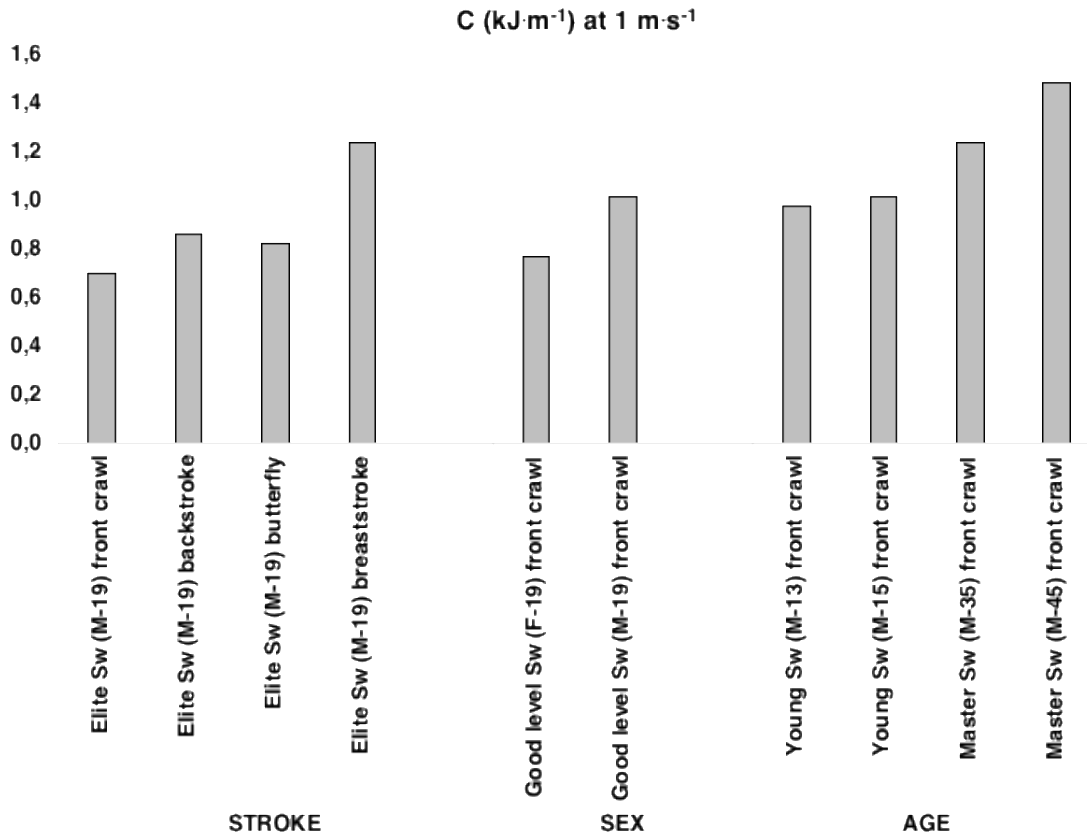


**Fig. 3.1** Flow diagram of the steps of energy conversion in steady state aquatic locomotion (adapted from Daniel 1991): metabolic power ( $\dot{E}$ ) is converted into mechanical power output ( $\dot{W}_{tot}$ ) but only a fraction of it goes into moving fluid (external power,  $\dot{W}_{ext}$ ) and of this, only a fraction goes into useful thrust (e.g. into power to overcome drag,  $\dot{W}_d$ ). See text for details.



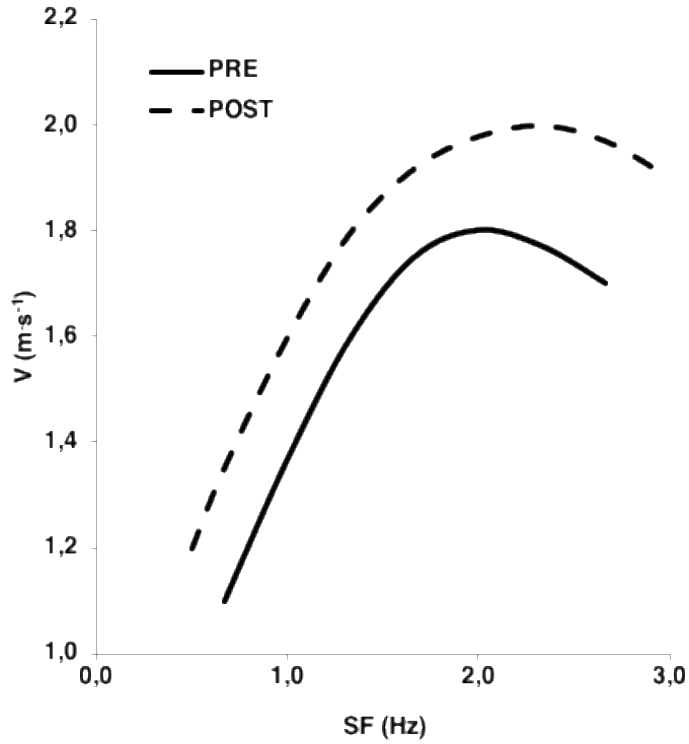


**Fig. 4.1.** Energy cost of swimming in different populations of swimmers at a given, submaximal, speed ( $1 \text{ m}\cdot\text{s}^{-1}$ ). Differences in  $C$ , at a given  $v$ , can be observed among strokes (in swimmers of the same age, sex and technical skill), between males and females (of the same age and technical skill and for the same stroke) and as a function of age (in swimmers of the same sex and for the same stroke; in this latter case is more difficult to disentangle the effects of skill for those attributable to age *per se*). See text for details.



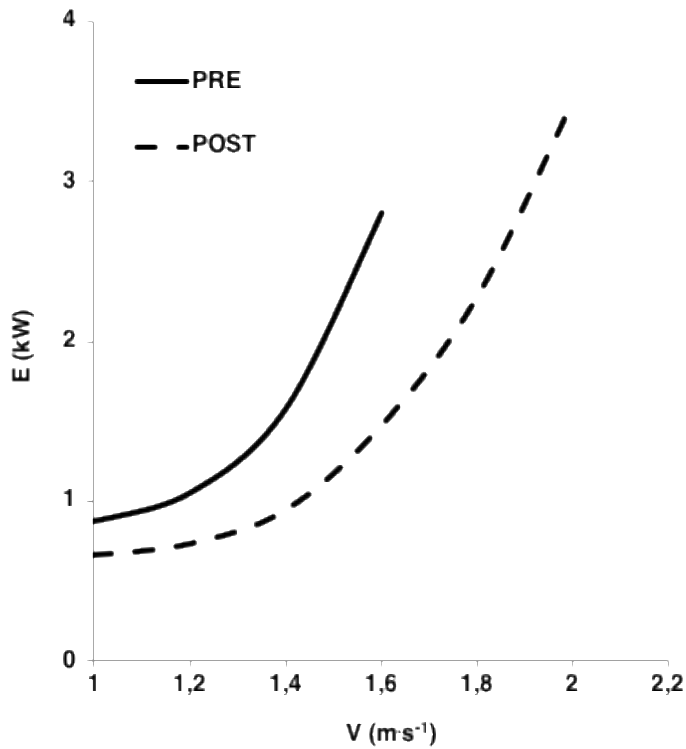
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**Fig. 4.2 a.** Changes in the  $v$  vs.  $SF$  relationship in front crawl before and after four years of a “high-speed” training program (adapted from Termin and Pendergast 2000): after training the swimmers were able to swim (at a given submaximal speed) with a lower  $SF$  (and thus with a larger  $SL$ ) and to reach a higher  $v_{max}$  because capable to sustain a higher  $SF_{max}$ .

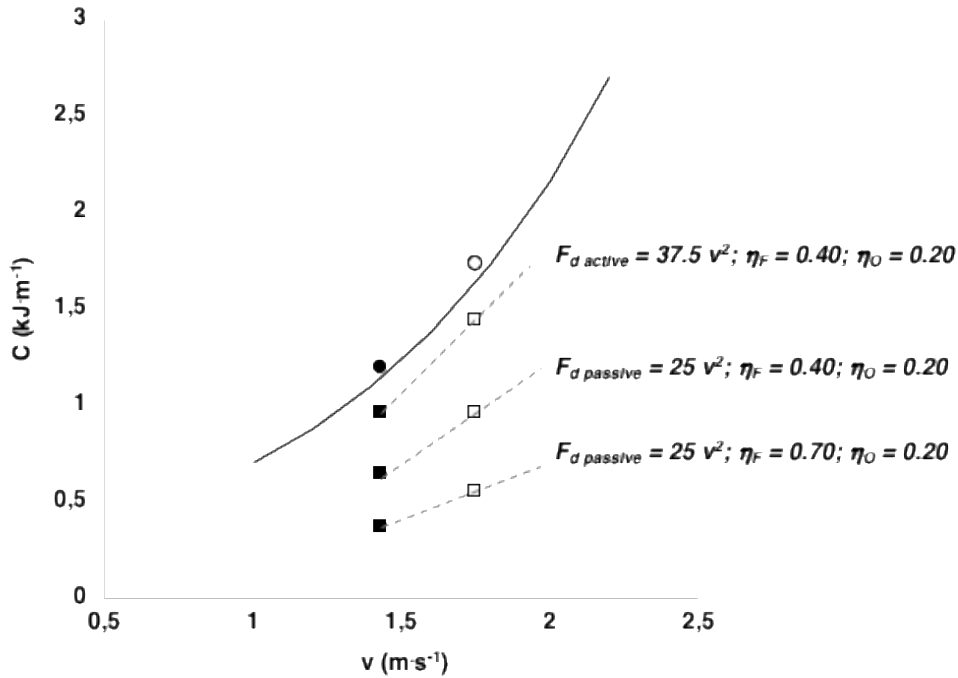


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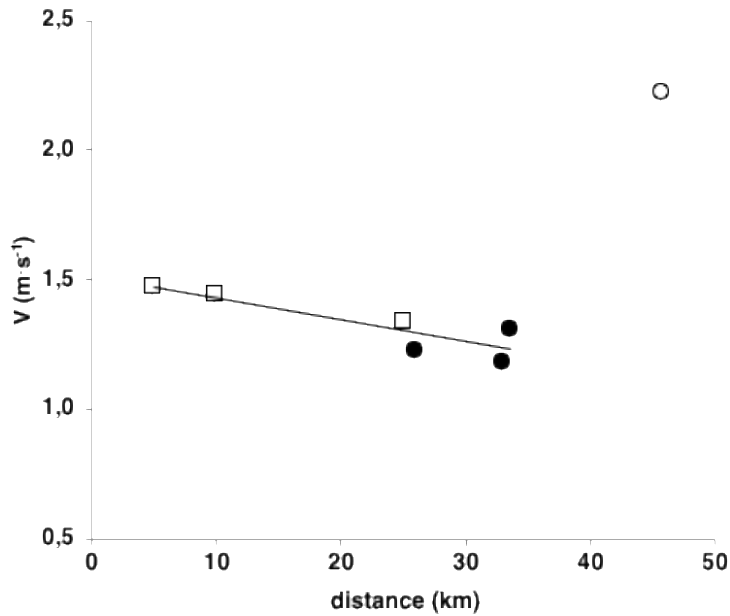
**Fig. 4.2 b.** The changes in the stroke parameters reported in Fig.4.2 a after four years of a “high-speed” training program are associated with changes in energy expenditure (adapted from Termin and Pendergast 2000): after training the swimmers were able to swim (at a given submaximal speed) with a lower energy expenditure ( $\dot{E}$  = metabolic power) (and thus with a lower energy cost:  $C = \dot{E} / v$ ) and to reach a higher  $v_{max}$  because they increased their  $\dot{E}_{max}$  ( $v_{max} = \dot{E}_{max} / C$ ). See text for details.



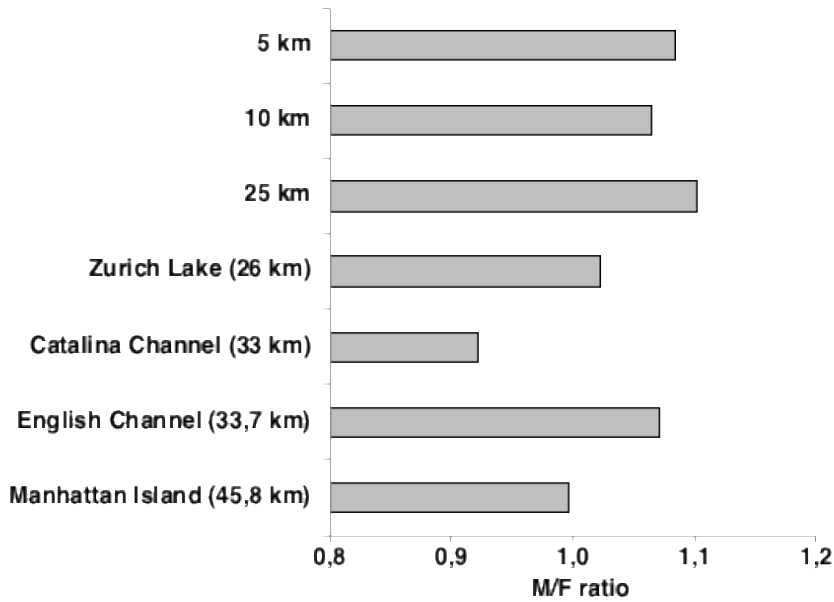
**Fig. 5.1** Measured and estimated values of  $C$ . Continuous line: the  $C$  vs.  $v$  relationship in elite (male) collegiate swimmers (as reported by Capelli et al. 1998); white circle:  $C$  in elite (male) sprinters (covering a 100 m distance at a speed of 1.75  $\text{m}\cdot\text{s}^{-1}$ ; Capelli et al. 1998); black circle:  $C$  in elite (male) open water swimmers (covering a 2 km distance at a speed of 1.43  $\text{m}\cdot\text{s}^{-1}$ ; Zamparo et al. 2005a). White and black squares represent estimates of  $C$  based on different values of Froude efficiency, overall efficiency and active drag. See text for details.



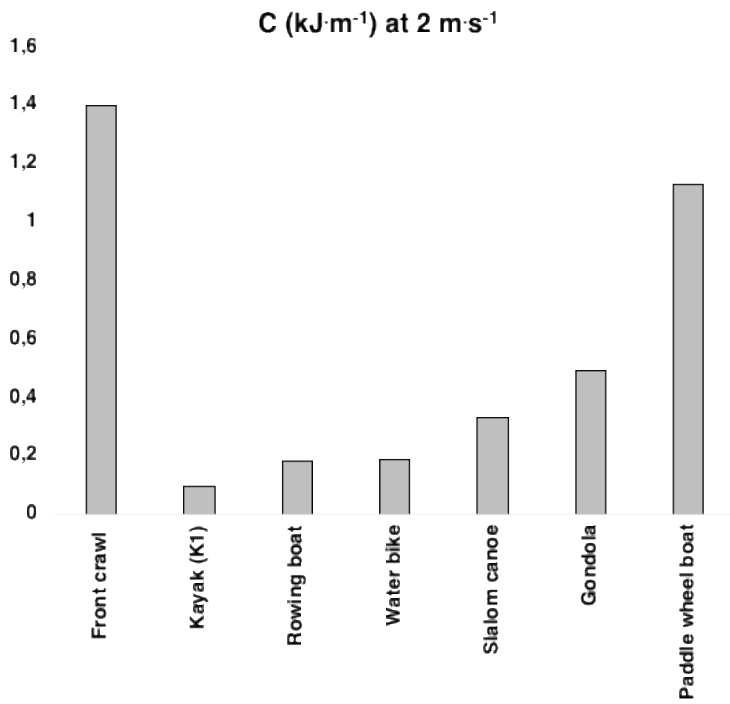
**Fig. 6.1** Race speed as a function of race distance: the longer the race the lower the speed but for the Manhattan Island race (open circle) where the current of the Hudson river and the tides favour the swimmers. Weather, water conditions, temperature and tides can considerably affect race time in *OWS*, and thus evaluating performance in terms of swimming speed can be misleading, in these races. Open squares: Olympic distances (5, 10 and 25 km); full circles: Zurich lake, English channel and Catalina channel marathons. Redrawn from Zamparo et al. (2019).



1 **Fig. 6.2.** Males/Females ratio in average swimming speed in conventional (Olympic distances of 5, 10 and 25 km) and  
2 ultra-endurance OWS events. Redrawn from Zamparo et al. (2019). In ultra-endurance swimming events, women could  
3 swim faster than men; they are indeed suited for long distance races because their smaller body size and greater fat  
4 percentage results in less drag and lower energy cost compared to males. See text for details.  
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**Fig. 7.1** Energy cost of front crawl swimming and boat locomotion at a speed of  $2 \text{ m}\cdot\text{s}^{-1}$ : the more economical mean of transportation is the K1 scull (kayaking), followed by the catamaran (water bike) and the rowing shell; the less economical crafts are the less hydrodynamic ones (e.g. gondola and paddle wheel boat). It is very likely that data of  $C$  in rowing would be much lower if measured nowadays because of the improvements in boat design since the experiments performed by di Prampero and colleagues in 1971. Swimming data (front crawl, elite male swimmers) are taken from Capelli et al. (1988), boat locomotion data are taken from Zamparo et al. (1999), Pendergast et al. (1989), di Prampero et al. (1971), Capelli et al. (1990) and Zamparo et al. (2008a).



**Author contribution**

PZ conceptualized and wrote the manuscript. MC and GG performed the literature search and critically revised the work. All authors read and approved the final manuscript.

**Conflict of interest**

The authors report no conflict of interest.