# Remote electrochemical modulation of $\mathrm{p} K_{\mathrm{a}}$ in a rotaxane by co-conformational allostery 

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## SUPPORTING INFORMATION

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## 1. Experimental procedures

Materials and methods. Spectroscopic grade (Uvasol) acetonitrile was purchased from Merck; ferrocene (Fc) and triflic acid (TrH) were purchased from Aldrich; tetraetylammonium hexafluorophosphate (TEAPF 6 ), tetrabutylammonium hexafluorophosphate $\left(\mathrm{TBAPF}_{6}\right)$ and phosphazene base $\mathrm{N}-t$-butyl-N', $\mathrm{N}^{\prime}, \mathrm{N} ", \mathrm{~N} ", \mathrm{~N} ", \mathrm{~N}$ "'hexamethylphosphorimidic triamide ( $\mathrm{P}_{1}-t-\mathrm{Bu}$ ) were purchased from Fluka. All chemicals were used as received, without further purification. $\mathrm{P}_{1}-t-\mathrm{Bu}$ and TrH were added in the electrochemical cell or in the cuvette from a concentrated acetonitrile solution (typically 40 or 4 mM ).

Electrochemical measurements. Cyclic voltammetric (CV) experiments were carried out at room temperature in argon-purged acetonitrile or acetone (Uvasol) with an Autolab 30 multipurpose instrument interfaced to a PC. The working electrode was a glassy carbon electrode (Amel; $0.07 \mathrm{~cm}^{2}$ ); its surface was routinely polished with a $0.3 \mu \mathrm{~m}$ alumina-water slurry on a felt surface. The counter electrode was a Pt wire, separated from the solution by a frit; an Ag wire was employed as a quasi-reference electrode, and ferrocene (Fc) was present as an internal standard $\left[\mathrm{E}_{1 / 2}\left(\mathrm{Fc}^{+} / \mathrm{Fc}\right)=+0.395 \mathrm{~V}\right.$ vs SCE$]$. Ferrocene was added from a concentrated acetonitrile solution (typically 0.1 M ). The concentration of the compounds examined was $4 \times 10^{-4} \mathrm{M}$; tetraetylammonium hexafluorophosphate (TEAPF ${ }_{6}$ ) 0.04 M was added as supporting electrolyte. The IR compensation implemented within the Autolab 30 was used, and every effort was made throughout the experiments to minimize the resistance of the solution. In any instance, the full electrochemical reversibility of the voltammetric wave of ferrocene was taken as an indicator of the absence of uncompensated resistance effects. Differential pulse voltammograms (DPV) were performed with a scan rate of $20 \mathrm{mV} \mathrm{s}^{-1}$, a pulse height of 75 mV , and a duration of 40 ms . For reversible processes the halfwave potential values were obtained from the DPV peaks and from an average of the cathodic and anodic cyclic voltammetric peaks. The potential values for chemically irreversible processes were estimated from the DPV peaks.

Experimental errors. The error on $\mathrm{p} K_{\mathrm{a}}$ values is estimated to be $\pm 0.2$ units, corresponding to $\Delta E= \pm 1 \mathrm{~kJ} \mathrm{~mol}^{-1}$. This error is calculated as the average mean square root for the difference in the $\mathrm{p} K_{\mathrm{a}}$ value reported for four bases investigated both in refs. S1 and S2. The experimental error on the potential values is $\pm 0.01 \mathrm{~V}$, corresponding to $\Delta E=$ $\pm 1 \mathrm{~kJ} / \mathrm{mol}^{-1}$. The experimental error on the equilibrium constant $K=1.5$ determined by CV titrations (Figs. S9-S10) is estimated to be $\Delta K= \pm 0.3$, corresponding to $\Delta E= \pm 1 \mathrm{~kJ} \mathrm{~mol}^{-1}$. The experimental error on the energy values reported in Fig. 5 is estimated to be $\pm 2$ $\mathrm{kJ} / \mathrm{mol}$, as in most cases they derive from the difference of two energy values.

## 2. Electrochemical data

Table S1. Reduction potential values for the studied compounds. Argon purged $\mathrm{CH}_{3} \mathrm{CN} /$ TEAPF $_{6}$, all values in V vs SCE.



Fig. S1. Cyclic voltammetric pattern of the axle $2 \mathrm{H}^{3+}$ upon addition of 1 equivalent of TBA. The process at +0.395 V vs SCE is due to the ferrocene used as an internal standard. Scan rate $300 \mathrm{mV} \mathrm{s}{ }^{-1}$.


Fig. S2. Cyclic voltammetric pattern of the axle $2 \mathrm{H}^{3+}$ upon addition of 22.8 equivalents of TBA. Scan rate $300 \mathrm{mV} \mathrm{s}^{-1}$.


Fig. S3. Cyclic voltammetric pattern of the axle $2 \mathrm{H}^{3+}$ upon addition of 22.8 equivalents of TBA and 22.8 equivalents of triflic acid. Scan rate $300 \mathrm{mV} \mathrm{s}^{-1}$.


Fig. S4. Cyclic voltammetric pattern of the axle $2 \mathrm{H}^{3+}$ upon sequential addition of 1 equivalent of phosphazene base and 1 equivalent of triflic acid. Scan rate $300 \mathrm{mV} \mathrm{s}^{-1}$.


Fig. S5. Differential pulse voltammetric pattern of the rotaxane $1 \mathrm{H}^{3+}$ upon addition of 22.8 equivalents of TBA.


Fig. S6. Cyclic voltammetric pattern of the rotaxane $1 \mathrm{H}^{3+}$ upon sequential addition of 22.8 equivalents of TBA and 22.8 equivalents of triflic acid. Scan rate $300 \mathrm{mV} \mathrm{s}^{-1}$.


Fig. S7. Cyclic voltammetric pattern of the rotaxane $1 \mathrm{H}^{3+}$ upon sequential addition of 1 equivalent of phosphazene base and 1 equivalent of triflic acid. Scan rate $300 \mathrm{mV} \mathrm{s}^{-1}$.


Fig. S8. Cyclic voltammetric pattern of the rotaxane $1 \mathrm{H}^{3+}$ (black) upon addition of increasing amounts of TBA up to 22.8 equivalents (red). Scan rate $300 \mathrm{mV} \mathrm{s}^{-1}$.


Fig. S9. Relative intensity of the current related to the reduction of the bipyridinium unit surrounded by the macrocycle, with respect to the total current relative to the first reduction process (only the anodic current is considered), at increasing amounts of added TBA base (black dots; voltammetric curves shown in Fig. S8). The equilibrium constant of the deprotonation reaction, obtained by data fitting (blue line) is $K=1.5$.

## 3. EPR Spectra



Fig. S10. EPR spectra of the radical cation derived from the free axle before (black trace) and after addition of 1 equivalent of $\mathrm{P}_{1}-t-\mathrm{Bu}$ (red trace). Conditions: $\mathrm{N}_{2}$ purged $\mathrm{CH}_{3} \mathrm{CN} /$ TBAPF $_{6}$, room temperature.

## 4. Energy-level diagram

This section illustrates the reasoning and the calculations performed to obtain the simplified energy-level diagram shown in Fig. 5. The bottom reasoning is that the redoxinduced $\mathrm{p} K_{\mathrm{a}}$ change is associated to a destabilization of the apparent conjugate base $1^{(n+)}\left(\mathrm{M} \supset\right.$ bpy $\left.^{(n+)}\right), n=0$, 1 or 2 , upon reduction of the bpy site (Fig. 5 , right). Moreover, as the reduction process does not affect significantly the ammonium-macrocycle interaction in the corresponding conjugated acids $1 \mathrm{H}^{+(n+)}\left(\mathrm{M} \supset \mathrm{amH}^{+}\right)$, these species can be taken as reference in each redox state (Fig. 5, left). It is thus possible to predict the behavior of the system upon addition of $\mathrm{P}_{1}-t-\mathrm{Bu}$ instead of TBA, because the associated free energy change can be fully ascribed to a destabilization of the reference states, in which the rotaxane is protonated and the added base is deprotonated (Fig. 5, left). The energy
difference reflects the cost of having $\mathrm{P}_{1}-t-\mathrm{Bu}$ deprotonated instead of TBA, and is quantified by the difference in $\mathrm{p} K_{\mathrm{a}}$ between their conjugated acids, $\mathrm{P}_{1}-t-\mathrm{BuH}^{+}$and $\mathrm{TBAH}^{+}$. More in detail, as discussed in the text, relative free energy changes are considered in order to compare at a glance the behavior of the system in the presence of different bases and in different redox states. Fig. S11, panel A, shows all the energy levels available to the ensemble $\left[1 \mathrm{H}^{+(n+)}+\mathbf{B}\right]$, where $\mathbf{B}=\mathrm{TBA}$ or $\mathrm{P}_{1}-t-\mathrm{Bu}$, and $n=0$, 1 or 2 . The italicized numbers $(1,2)$ denote the different bases and the letters $(a, b, c ; \alpha, \beta, \gamma)$ denote the different redox states.

As the presence of $M$ on the $a m H^{+}$site does not affect the redox behavior of the bipyridinium site, the energy differences $1 b-1 a$ (or $2 b-2 a$ ) and $1 c-1 b$ (or $2 c-2 b$ ) are related to the first and second reduction potentials of $b p y^{2+}$, respectively, in the protonated rotaxane $\left(1 \mathrm{H}^{3+}\right)$ or in the free axle $\left(2 \mathrm{H}^{3+}\right)$. The energy differences $1 \beta-1 \alpha$ and $1 \gamma-1 \beta$ are related to the first and second reduction potentials of $\mathrm{bpy}^{2+}$, respectively, in the deprotonated rotaxane $\left(1^{2+}\right)$, in which the bpy unit is surrounded by the ring. Such differences are equal to $2 \beta-2 \alpha$ and $2 \gamma-2 \beta$, respectively, because the inherent redox properties of $1^{2+}$ do not depend on the base used to deprotonate $1 \mathrm{H}^{3+}$. The energy differences $1 \alpha-1 a, 1 \beta-1 b$, and $1 \gamma-1 c$ are determined by the basic strength of TBA (i.e., the $\mathrm{p} K_{\mathrm{a}}$ of $\mathrm{TBAH}^{+}$) and the acid strength of the rotaxane (i.e., its $\mathrm{p} K_{\mathrm{a}}$ ) in the dicationic, radical cationic and neutral states, respectively. Similarly, the energy differences $2 \alpha-2 a$, $2 \beta-2 b$, and $2 \gamma-2 c$ are determined by the basic strength of $P_{1-t} t-B u$ (i.e., the $p K_{a}$ of $P_{1-t}-$ $\mathrm{BuH}^{+}$) and the acid strength of the rotaxane (i.e., its $\mathrm{pK}_{\mathrm{a}}$ ) in the dicationic, radical cationic and neutral states, respectively.
The full diagram shown in Fig. S11, panel A, can be simplified according to the two following remarks:

1) As noted above, the inherent redox properties of the deprotonated rotaxane (that determine the energy differences $\beta-\alpha$ and $\gamma-\beta$ ) do not depend on the base used to generate it. Thus, one can shift the levels so that the energies of the corresponding conjugated acids, $\mathrm{TBAH}^{+}$and $\mathrm{P}_{1}-t-\mathrm{BuH}^{+}$, are matched. As the energy differences $1 \beta-1 \alpha$ and $1 \gamma-1 \beta$ are equal to $2 \beta-2 \alpha$ and $2 \gamma-2 \beta$, respectively, levels $1 \alpha$ and $2 \alpha, 1 \beta$ and $2 \beta$, and $1 \gamma$ and $2 \gamma$, merge to yield states $\alpha(n=2), \beta(n=1)$ and $\gamma(n=0)$ (Fig. S11, panel B, right). In this way, the energy gap $2 a-1 a$ (or $2 b-1 b$ and $2 c-1 c$ ) is directly related to the difference in the basic strength of the two bases (i.e., the difference in the $\mathrm{p} K_{\mathrm{a}}$ values of $\mathrm{TBAH}^{+}$and $\left.\mathrm{P}_{1}-t-\mathrm{BuH}^{+}\right)$.


Fig. S11. (A) Energy levels available to the ensemble $\left[1 \mathrm{H}^{+(n+)}+\mathbf{B}\right]$, where $\mathbf{B}=$ TBA or $\mathrm{P}_{1}-t-\mathrm{Bu}$ and $n=0,1$ or 2 . (B) Diagram in which the levels in (A) are shifted to align the energies of deprotonated rotaxanes $1^{(n+)}(n=0,1$ or 2$)$ in the same oxidation state, obtained with different bases. (C) Diagram in which the levels in (B) are shifted to align the energies of protonated rotaxanes $1 \mathrm{H}^{+(n+)}(n=0,1$ or 2) in different oxidation states, in the presence of the same base.
2) The redox state of bpy has a negligible influence on the strength of the $\mathrm{M}_{\mathrm{MamH}}{ }^{+}$ interaction (vide supra). Thus, one can shift the levels to match the energies of protonated rotaxanes in different oxidation states in the presence of the same base. As the energy differences $2 a-1 a, 2 b-1 b$ and $2 c-1 c$ are equal, levels $1 a, 1 b$ and $1 c$ merge to yield state 1, which represents the protonated rotaxane (irrespective of its oxidation state) in the presence of TBA, and levels $2 a, 2 b$ and $2 c$ merge to yield state 2 , which represents the protonated rotaxane (irrespective of its oxidation state) in the presence of $\mathrm{P}_{1}-t$-Bu. Notably, levels $\alpha, \beta$ and $\gamma$ do not match because the $\mathrm{M} \supset \mathrm{bpy}^{(n+)}$ interaction does depend on the oxidation state of bpy.

The simplified diagram shown in Fig. S11, panel C (and Fig. 5), provides a compact representation of the main results presented in this study. In fact, as noted above, the energy difference 2-1 can be determined from the difference of $\mathrm{pK}_{\mathrm{a}}$ of $\mathrm{P}_{1}-t-\mathrm{BuH}^{+}$and $\mathrm{TBAH}^{+}$, and enables a quick comparison of the strength of the bases that react with the rotaxane. The energy differences $\beta-\alpha$ and $\gamma-\beta$ are the changes in the charge-transfer interaction between $M$ and bpy on going from $\mathrm{bpy}^{2+}$ to $\mathrm{bpy}^{(+\cdot)}$, and from $\mathrm{bpy}^{(+\cdot)}$ to $\mathrm{bpy}^{(0)}$, respectively. These values, which obviously do not depend on the strength of the base used to deprotonate the rotaxane, can be determined from the redox potential values as discussed in the following. Another known quantity is the energy difference between levels 1 and $\alpha$, measured from the titration of $1 \mathrm{H}^{3+}$ with TBA (Fig. S9).

The energy difference between the charge-transfer interactions in $\mathrm{M} \supset \mathrm{bpy}^{(+\cdot)}$ and $\mathrm{M} \supset \mathrm{bpy}^{2+}$ (energy difference $\beta-\alpha$ in Fig. S11C) was estimated from the thermodynamic square cycle represented in Fig. S12, involving rotaxane $1 \mathrm{H}^{3+}$, the $\mathrm{P}_{1}-t-\mathrm{Bu}$ base, and one-electron reduction/oxidation processes.
The reaction on the left is the reduction of bpy ${ }^{2+}$ to $\mathrm{bpy}^{(+\cdot)}$ in the $1 \mathrm{H}^{3+}\left(\mathrm{M} \supset \mathrm{amH}{ }^{+}\right)$rotaxane in the presence of $\mathrm{P}_{1}-t-\mathrm{Bu}$ (before any acid-base reaction occurs), and we take its associated redox potential as that of $1 \mathrm{H}^{3+}$ alone ( $E_{1 / 2}=-0.34 \mathrm{~V}$ vs SCE, Table S 1 ). The reaction on the right is the $\mathrm{bpy}^{2+} \rightarrow \mathrm{bpy}^{(+\cdot)}$ reduction in the $1^{2+}\left(\mathrm{M} \supset \mathrm{bpy}^{2+}\right)$ rotaxane in the presence of $\mathrm{P}_{1-}$ $t$ - $\mathrm{BuH}^{+}$; the deprotonated rotaxane is obtained upon reaction of $1 \mathrm{H}^{3+}$ with $\mathrm{P}_{1}-t-\mathrm{Bu}$, and its redox potential can be measured ( $E_{1 / 2}=-0.57 \mathrm{~V}$ vs SCE, Table $S 1$ ). In the reasonable approximation that standard redox potentials $\left(E^{\circ}\right)$ correspond to halfwave potentials $\left(E_{1 / 2}\right)$, the $\Delta G^{\circ}$ values of the redox reactions can be calculated from CV data (equations S1-S2; z
$=1$ is the number of exchanged electrons, $F$ is Faraday's constant, $E_{1 / 2, \text { free }}$ and $E_{1 / 2, \text { compl }}$ are, respectively, the halfwave potential values for the $\mathrm{bpy}^{2+}$ unit free and complexed by M ):

$$
\begin{equation*}
\Delta G_{2}^{\circ}=-z F E_{\mathrm{compl}}^{\circ} \cong-z F E_{1 / 2, \mathrm{compl}}=-1 \times 96480 \times(-0.57)=55.0 \mathrm{~kJ} \mathrm{~mol}^{-1} \tag{S1}
\end{equation*}
$$

$\Delta G_{4}{ }^{\circ}=-z F E_{\text {free }}^{\circ} \cong-z F E_{1 / 2, \text { free }}=-1 \times 96480 \times(-0.34)=32.8 \mathrm{~kJ} \mathrm{~mol}^{-1}$




$$
-\left.\mathrm{e}^{-}\right|^{+\mathrm{e}^{-}} \begin{aligned}
& E_{1 / 2 c \mathrm{compl}}=-0.57 \mathrm{~V} \\
& \Delta G_{2}{ }^{\circ}=55.0 \mathrm{~kJ} / \mathrm{mol}
\end{aligned}
$$



Fig. S12. Thermodynamic square cycle involving one-electron reduction/oxidation of the bpy $^{2+}$ unit (vertical) and acid-base shuttling (horizontal) reactions. Data are referred to the reactions read from left to right and from top to bottom.

The difference between such $\Delta G^{\circ}$ values $\left(\Delta G_{2}{ }^{\circ}-\Delta G_{4}{ }^{\circ}\right)$ must be equal to the difference in the free energy change of the horizontal reactions of the cycle $\left(\Delta G_{3}{ }^{\circ}-\Delta G_{1}{ }^{\circ}\right.$ ). The ring-axle interactions are the same in the starting states of both reactions $\left(M \supset a m H^{+}\right)$, whereas they are different in the final states $\left(\mathrm{M} \supset \mathrm{bpy}^{2+}\right.$ or $\mathrm{M} \supset \mathrm{bpy}^{(+\bullet)}$ ). Thus, the $\Delta\left(\Delta G^{\circ}\right)$ of these reactions quantifies the energy difference of charge-transfer interactions in the final states (equation S3), and corresponds to the energy difference $\beta-\alpha$ in Fig. S11C.
$\Delta\left(\Delta G^{\circ}\right)=\Delta G_{2}{ }^{\circ}-\Delta G_{4}{ }^{\circ}=\Delta G_{3}{ }^{\circ}-\Delta G_{1}{ }^{\circ}=22.2 \mathrm{~kJ} \mathrm{~mol}^{-1}$

From the data shown in Fig. S12 one can also calculate the $\mathrm{p} K_{\mathrm{a}}$ value of the monoreduced rotaxane. In fact, $\Delta G_{1}{ }^{\circ}$ is related to the $\mathrm{p} K_{a}$ of $\mathrm{P}_{1}-t-\mathrm{BuH}^{+}$and $1 \mathrm{H}^{3+}$, which are both known:

$$
\Delta G_{1}{ }^{\circ}=-2.303 R T \log K_{\text {eq }}=-2.303 R T \log \left[K_{\mathrm{a}}\left(1 \mathrm{H}^{3+}\right) / K_{\mathrm{a}}\left(\mathrm{P}_{1}-t-\mathrm{BuH}^{+}\right)=\right.
$$

$$
\begin{equation*}
=2.303 R T\left[\mathrm{p}_{\mathrm{a}}\left(\mathbf{1 H}^{3+}\right)-\mathrm{p} K_{\mathrm{a}}\left(\mathrm{P}_{1}-\mathrm{t}-\mathrm{BuH}^{+}\right)\right]=-50.7 \mathrm{~kJ} \mathrm{~mol}^{-1} \tag{S4}
\end{equation*}
$$

The value of $\Delta G_{3}{ }^{\circ}$ can thus be calculated:
$\Delta G_{3}{ }^{\circ}=\Delta G_{1}{ }^{\circ}+\Delta G_{2}{ }^{\circ}-\Delta G_{4}{ }^{\circ}=-28.5 \mathrm{~kJ} \mathrm{~mol}^{-1}$
from which one can obtain the $\mathrm{p} K_{\mathrm{a}}$ of the $1 \mathrm{H}^{+(+\cdot)}$ rotaxane:
$\mathrm{p} K_{\mathrm{a}}\left(1 \mathrm{H}^{+(+\cdot)}\right)=\mathrm{p} K_{\mathrm{a}}\left(\mathrm{P}_{1}-t-\mathrm{BuH}^{+}\right)+\Delta \mathrm{G}_{3}{ }^{\circ} /(2.303 R T)=22.0$

A thermodynamic cycle similar to that of Fig. S12 but involving the bpy ${ }^{(+\cdot)} \rightarrow$ bpy $^{(0)}$ reduction can be devised (Fig. S13). From analogous considerations to those discussed above, one can calculate the $\Delta G^{\circ}$ values of the processes and the $\mathrm{p} K_{\mathrm{a}}$ of the $1 \mathrm{H}^{+(0)}$ rotaxane (equations S7-S10).

$\Delta G_{1}{ }^{10}=-28.5 \mathrm{~kJ} \mathrm{~mol}^{-1}$
$-\left.\mathrm{e}^{-}\right|^{\downarrow}+\mathrm{e}^{-} \quad \begin{aligned} & E_{1 / 2 \text { free }}^{\prime}=-0.76 \mathrm{~V} \\ & \Delta G_{4}^{\prime \circ}=73.3 \mathrm{~kJ} / \mathrm{mol}\end{aligned}$


$-\mathrm{e}^{-} \prod_{\downarrow}+\mathrm{e}^{-} \quad \begin{aligned} & E_{1 / 2, \text { comol }}^{\prime}=-0.96 \mathrm{~V} \\ & \Delta G_{2}{ }^{10}=92.6 \mathrm{~kJ} / \mathrm{mol}\end{aligned}$


Fig. S13. Thermodynamic square cycle involving one-electron reduction/oxidation of the bpy $^{(+\cdot)}$ unit (vertical) and acid-base shuttling (horizontal) reactions. Data are referred to the reactions read from left to right and from top to bottom.
$\Delta G_{2}{ }^{10}=-z F E^{\prime \circ}{ }_{\text {compl }} \cong-z F E^{\prime} / 2$, compl $=-1 \times 96480 \times(-0.96)=92.6 \mathrm{~kJ} \mathrm{~mol}^{-1}$
$\Delta G_{4}{ }^{10}=-z F E^{\circ \circ}{ }_{\text {free }} \cong-z F E^{\prime} / 2$, free $=-1 \times 96480 \times(-0.76)=73.3 \mathrm{~kJ} \mathrm{~mol}^{-1}(\mathrm{~S} 8)$
$\Delta\left(\Delta G^{1 \circ}\right)=\Delta G_{2}{ }^{10}-\Delta G_{4}{ }^{10}=19.3 \mathrm{~kJ} \mathrm{~mol}^{-1}$

Note that $\Delta\left(\Delta G^{\prime \circ}\right)$ corresponds to the energy difference $\gamma-\beta$ in Fig. S11C.

$$
\begin{align*}
& \Delta G_{1}{ }^{10}=\Delta G_{3}{ }^{\circ}=-2.303 R T \log K_{\text {eq }}=-2.303 R T \log \left[K_{\mathrm{a}}\left(1 \mathrm{H}^{+(+\cdot)}\right) / K_{\mathrm{a}}\left(\mathrm{P}_{1}-t-\mathrm{BuH}^{+}\right)=\right. \\
& =2.303 R T\left[\mathrm{p} K_{\mathrm{a}}\left(1 \mathrm{H}^{+(+\cdot)}\right)-\mathrm{p} K_{\mathrm{a}}\left(\mathrm{P}_{1}-t-\mathrm{BuH}^{+}\right)\right]=-28.5 \mathrm{~kJ} \mathrm{~mol}^{-1}  \tag{S10}\\
& \Delta G_{3}{ }^{1 \circ}=\Delta G_{1}{ }^{10}+\Delta G_{2}{ }^{10}-\Delta G_{4}{ }^{10}=-9.2 \mathrm{~kJ} \mathrm{~mol}^{-1}  \tag{S11}\\
& \mathrm{p} K_{\mathrm{a}}\left(1 \mathrm{H}^{+(0)}\right)=\mathrm{p} K_{\mathrm{a}}\left(\mathrm{P}_{1}-t-\mathrm{BuH}^{+}\right)+\Delta \mathrm{G}_{3}{ }^{10} /(2.303 R T)=25.4 \tag{S12}
\end{align*}
$$

## References

S1. Coetzee JF, Padmanabhan GR (1965) Properties of bases in acetonitrile as solvent. IV. Proton acceptor power and homoconjugation of mono- and diamines. J Am Chem Soc 87:5005-5010.

S2. Kaljurand I, Kütt A, Sooväli L, Rodima T, Mäemets V, Leito I, Koppel IA (2005) Extension of the self-consistent spectrophotometric basicity scale in acetonitrile to a full span of $28 \mathrm{p} K_{\mathrm{a}}$ units: Unification of different basicity scales. J Org Chem 70:1019-1028.

