

# Appendix B: Data analysis script

## ▼ Data processing

### ▼ Import data

```
# Mount Google Drive
from google.colab import drive
drive.mount('/content/drive')

↔ Drive already mounted at /content/drive; to attempt to forcibly remount, call drive.mount("/content/drive", force_remount=True).
```

```
# Import libraries
import pandas as pd
import numpy as np

# Load the dataset
folder_path = '/content/drive/MyDrive/Work space/CHI paper/Data analysis/'

file_path1 = folder_path + '1st_study.csv'
df1 = pd.read_csv(file_path1)

file_path2 = folder_path + '2rd_study.csv'
df2 = pd.read_csv(file_path2)
display(df2.head())
```

↔

|   | CODE     | AGE   | N_CHILDREN_ADOLESCENTS | SUS_1 | SUS_2 | SUS_3 | SUS_4 | SUS_5 | SUS_6 | SUS_7 | ... | PRESENCE_5 | PRESENCE_6 | INVOLVEMENT_7 | INVOLVEMENT_8 | INVOLVEMENT_9 | INVOLVEMENT_10 | REALISM_11 | RE/ |
|---|----------|-------|------------------------|-------|-------|-------|-------|-------|-------|-------|-----|------------|------------|---------------|---------------|---------------|----------------|------------|-----|
| 0 | AABA1702 | 15.17 | 2                      | 0     | 2     | 2     | 4     | 1     | 3     | 3     | ... | 2          | 3          | 2             | 6             | 6             | 4              | 3          |     |
| 1 | AABA2112 | 10.39 | 1                      | 1     | 3     | 4     | 3     | 3     | 3     | 3     | ... | 1          | 1          | 4             | 4             | 2             | 1              | 4          |     |
| 2 | AACI2309 | 14.55 | 2                      | 0     | 4     | 3     | 1     | 4     | 2     | 4     | ... | 2          | 1          | 3             | 1             | 2             | 1              | 2          |     |
| 3 | AAFJ3110 | 10.50 | 1                      | 2     | 3     | 1     | 3     | 3     | 2     | 3     | ... | 6          | 5          | 4             | 3             | 4             | 6              | 3          |     |
| 4 | AAFO1112 | 11.37 | 1                      | 4     | 2     | 4     | 3     | 3     | 3     | 4     | ... | 4          | 7          | 7             | 2             | 7             | 7              | 7          |     |

5 rows × 43 columns

```
# Add IS_CHILDREN column
df1['IS_CHILDREN'] = df1['N_CHILDREN_ADOLESCENTS'].apply(lambda x: True if x == 1 else False)
df1 = df1.drop('N_CHILDREN_ADOLESCENTS', axis=1)

df2['IS_CHILDREN'] = df2['N_CHILDREN_ADOLESCENTS'].apply(lambda x: True if x == 1 else False)
df2 = df2.drop('N_CHILDREN_ADOLESCENTS', axis=1)
```

✓ Calculation

```
# Calculate relevant variables for Study 1
df1_processed = pd.DataFrame()
df1_processed['Age'] = df1['Age']
df1_processed['is_children'] = df1['IS_CHILDREN']

#Perception
df1_processed['Immersion'] = df1['IMMERSION_VR']
df1_processed['Experienced Realism'] = df1['PERCEPTIONOFREALISM_VR']
df1_processed['Involvement'] = df1['INVOLVEMENT_VR']
df1_processed['Presence'] = df1['PRESENCE_VR']

#Exclusion
df1_processed['Exclusion'] = df1['MANIPULATION_CHECK_1_VR'] + df1['MANIPULATION_CHECK_2_VR']

df1_processed.head()
```



|   | Age       | is_children | Immersion | Experienced Realism | Involvement | Presence | Exclusion |
|---|-----------|-------------|-----------|---------------------|-------------|----------|-----------|
| 0 | 13.250000 | False       | 1         | 1                   | 1           | 1        | 10        |
| 1 | 11.250000 | True        | 2         | 3                   | 1           | 3        | 9         |
| 2 | 12.750000 | True        | 1         | 1                   | 1           | 1        | 10        |
| 3 | 14.416667 | False       | 2         | 1                   | 1           | 2        | 8         |
| 4 | 9.583333  | True        | 3         | 3                   | 1           | 3        | 9         |

Next steps:

[Generate code with df1\\_processed](#)

[View recommended plots](#)

[New interactive sheet](#)

```
# Calculate relevant variables for Study 2
df2_processed = pd.DataFrame()
df2_processed['Age'] = df2['AGE']
df2_processed['is_children'] = df2['IS_CHILDREN']

#Perception (IPQ)
presence_columns = ['PRESENCE_1','PRESENCE_2', 'PRESENCE_4', 'PRESENCE_5', 'PRESENCE_6']
involvement_columns = ['INVOLVEMENT_7', 'INVOLVEMENT_8', 'INVOLVEMENT_9', 'INVOLVEMENT_10']
experienced_realism_columns = ['REALISM_3', 'REALISM_11', 'REALISM_12', 'REALISM_13', 'REALISM_14']

reverse_score_columns = ['PRESENCE_4', 'INVOLVEMENT_7', 'INVOLVEMENT_9', 'REALISM_3']
for col in reverse_score_columns:
    if col in df2.columns:
        df2[col] = 7 + 1 - df2[col]
    else:
        print(f"Warning: Column '{col}' not found in DataFrame. Skipping reverse scoring for this column.")
df2_processed['Experienced Realism'] = df2[experienced_realism_columns].sum(axis=1)
df2_processed['Involvement'] = df2[involvement_columns].sum(axis=1)
df2_processed['Presence'] = df2[presence_columns].sum(axis=1)

#System Usability
sus_columns = [f'SUS_{i}' for i in range(1, 11)]
temp = 0
```

```
for i, col in enumerate(sus_columns):
    if (i + 1) % 2 != 0: # Odd-numbered questions
        temp += df2[col] - 1
    else: # Even-numbered questions
        temp += 5 - df2[col]
df2_processed['System Usability'] = temp * 2.5

#Simulator Sickness
nausea_columns = ['DISCOMFORT', 'SALIVATION', 'SWEAT', 'NAUSEA', 'CONCENTRATION']
oculomotor_columns = ['DISCOMFORT', 'TIREDNESS', 'HEADACHE', 'EYESTRAIN', 'FOCUSING', 'CONCENTRATION', 'BLURRY']
disorientation_columns = ['FOCUSING', 'NAUSEA', 'HEADHEAVINESS', 'BLURRY', 'OPENEYESDIZZINESS', 'CLOSEDEYESDIZZINESS', 'VERTIGO' ]
df2_processed['Simulator Sickness'] = (df2[nausea_columns].sum(axis=1) + df2[oculomotor_columns].sum(axis=1) + df2[disorientation_columns].sum(axis=1)) * 3.74

#Exclusion
df2_processed['Exclusion'] = df2['MANIPULATION_CHECK_1'] + df2['MANIPULATION_CHECK_2']

df2_processed.head()
```



|   | Age   | is_children | Experienced | Realism | Involvement | Presence | System Usability | Simulator Sickness | Exclusion |  |
|---|-------|-------------|-------------|---------|-------------|----------|------------------|--------------------|-----------|-------------------------------------------------------------------------------------|
| 0 | 15.17 | False       |             | 14      | 18          | 18       | 35.0             | 41.14              | 4         |  |
| 1 | 10.39 | True        |             | 12      | 15          | 18       | 47.5             | 67.32              | 10        |                                                                                     |
| 2 | 14.55 | False       |             | 14      | 13          | 15       | 60.0             | 108.46             | 8         |                                                                                     |
| 3 | 10.50 | True        |             | 18      | 17          | 22       | 47.5             | 0.00               | 10        |                                                                                     |
| 4 | 11.37 | True        |             | 30      | 11          | 26       | 62.5             | 59.84              | 2         |                                                                                     |

Next steps: [Generate code with df2\\_processed](#) [View recommended plots](#) [New interactive sheet](#)

```
df1_variables_list = df1_processed.select_dtypes(include=np.number).columns.tolist()
df1_variables_list.remove('Age')
df2_variables_list = df2_processed.select_dtypes(include=np.number).columns.tolist()
df2_variables_list.remove('Age')
```

Mean comparison

Define function

```
from scipy.stats import shapiro, ttest_ind, mannwhitneyu
from statsmodels.stats.power import TTestIndPower
analysis = TTestIndPower()

def compare_means_func(study: int, df: pd.DataFrame, column_name: str):
    alpha = 0.05

    # Align the indices of the column and group_column
    column = df[column_name]
    aligned_column, aligned_group_column = column.align(df['is_children'], join='inner')
```

```

# Get the two unique group values (assuming True is children and False is adolescents)
group1_label = 'children'
group2_label = 'adolescents'

# Separate the column values based on the group column using the aligned index
group1_values = aligned_column.loc[aligned_group_column == True].dropna() # True corresponds to children
group2_values = aligned_column.loc[aligned_group_column == False].dropna() # False corresponds to adolescents

n1, n2 = len(group1_values), len(group2_values)

# Check normality for each group using Shapiro-Wilk test
shapiro_pvalue_1 = shapiro(group1_values).pvalue
shapiro_pvalue_2 = shapiro(group2_values).pvalue

# Determine the appropriate statistical test based on normality
if shapiro_pvalue_1 > alpha and shapiro_pvalue_2 > alpha:
    method = "Independent samples t-test (Welch's)"
    statistic, p_value = ttest_ind(group1_values, group2_values, equal_var=False)

    dof = n1 + n2 - 2
    pooled_std = np.sqrt(((n1-1)*np.var(group1_values, ddof=1) + (n2-1)*np.var(group2_values, ddof=1)) / dof)
    effect = (np.mean(group1_values) - np.mean(group2_values)) / pooled_std
    power = analysis.solve_power(effect_size=effect, nobs1=len(group1_values), alpha=alpha, ratio=len(group2_values)/len(group1_values))

else:
    method = "Mann-Whitney U test"
    statistic, p_value = mannwhitneyu(group1_values, group2_values)

    mean_U = n1 * n2 / 2
    std_U = np.sqrt(n1 * n2 * (n1 + n2 + 1) / 12)
    z = (statistic - mean_U) / std_U
    effect = z / np.sqrt(n1 + n2)

    simulations = 5000
    count_sig = 0
    for _ in range(simulations):
        x_sample = np.random.choice(group1_values, n1, replace=True)
        y_sample = np.random.choice(group2_values, n2, replace=True)
        stat, p = mannwhitneyu(x_sample, y_sample)
        if p < alpha:
            count_sig += 1
    power = count_sig / simulations

results = {
    'study': study,
    'variable': column_name,
    'children_mean': np.mean(group1_values),
    'children_stdDev': np.std(group1_values),
    'adolescents_mean': np.mean(group2_values),
    'adolescents_stdDev': np.std(group2_values),
    'effect_size_d': effect,
    'power': power,
    'method': method,
    'statistic': statistic,
    'pValue': p_value,
    'is_significant': 'Yes' if p_value < alpha else 'No'
}

```

```
}  
  
return results
```

Calculate results

```
mean_comparision_results = pd.DataFrame()  
#Loop through all variables to run the function  
for col in df1_variables_list:  
    comparison_result = compare_means_func(1, df1_processed, col)  
    mean_comparision_results = pd.concat([mean_comparision_results, pd.DataFrame([comparison_result])], ignore_index=True)  
for col in df2_variables_list:  
    comparison_result = compare_means_func(2, df2_processed, col)  
    mean_comparision_results = pd.concat([mean_comparision_results, pd.DataFrame([comparison_result])], ignore_index=True)  
  
display(mean_comparision_results)
```



|   | study | variable            | children_mean | children_stdDev | adolescents_mean | adolescents_stdDev | effect_size_d | power    |  | method              | statistic   | pValue       | is_significant |
|---|-------|---------------------|---------------|-----------------|------------------|--------------------|---------------|----------|--|---------------------|-------------|--------------|----------------|
| 0 | 1     | Immersion           | 3.394737      | 1.424217        | 2.310811         | 1.218391           | 0.364935      | 0.997600 |  | Mann-Whitney U test | 4001.000000 | 4.819993e-06 | Yes            |
| 1 | 1     | Experienced Realism | 3.289474      | 1.403152        | 2.175676         | 1.200879           | 0.375524      | 0.998400 |  | Mann-Whitney U test | 4035.500000 | 2.469854e-06 | Yes            |
| 2 | 1     | Involvement         | 2.394737      | 1.367662        | 1.797297         | 0.999726           | 0.208096      | 0.779400 |  | Mann-Whitney U test | 3490.000000 | 7.178250e-03 | Yes            |
| 3 | 1     | Presence            | 3.723684      | 1.333759        | 2.513514         | 1.317689           | 0.405910      | 0.999600 |  | Mann-Whitney U test | 4134.500000 | 3.803798e-07 | Yes            |
| 4 | 1     | Exclusion           | 6.710526      | 3.029746        | 8.135135         | 2.170592           | -0.213467     | 0.772600 |  | Mann-Whitney U test | 2116.500000 | 7.355333e-03 | Yes            |
| 5 | 2     | Experienced Realism | 18.670886     | 5.406797        | 16.404762        | 3.830078           | 0.195717      | 0.717400 |  | Mann-Whitney U test | 4070.500000 | 1.225154e-02 | Yes            |
| 6 | 2     | Involvement         | 17.886076     | 4.319480        | 16.226190        | 3.406406           | 0.182712      | 0.664200 |  | Mann-Whitney U test | 4020.500000 | 1.928485e-02 | Yes            |

Next steps:

[Generate code with mean\\_comparision\\_results](#)

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Correlation

Define pairwise function

```
from scipy.stats import shapiro, pearsonr, spearmanr  
  
def correlation_func(study:int, dataset1: pd.Series, dataset2: pd.Series, variable_name1: str, variable_name2: str):  
    alpha = 0.05
```

```

# Check normality for each group using Shapiro-Wilk test
shapiro_pvalue_1 = shapiro(dataset1).pvalue
shapiro_pvalue_2 = shapiro(dataset2).pvalue

# Determine the appropriate statistical test based on normality
if shapiro_pvalue_1 > alpha and shapiro_pvalue_2 > alpha:
    method = "Pearson's correlation"
    statistic, p_value = pearsonr(dataset1, dataset2)
else:
    method = "Spearman's correlation"
    statistic, p_value = spearmanr(dataset1, dataset2)

results = {
    'study': study,
    'variable1': variable_name1,
    'variable2': variable_name2,
    'method': method,
    'pValue': p_value,
    'statistic': statistic,
    'is_significant': 'Yes' if p_value < alpha else 'No'
}

return results

```

## ▼ Run Pairwise Correlations

```

pairwise_correlation_results = pd.DataFrame()

# Pairwise correlation for df1_processed
df1_numerical_vars = df1_processed.select_dtypes(include=np.number).columns.tolist()
for i in range(len(df1_numerical_vars)):
    for j in range(i + 1, len(df1_numerical_vars)):
        var1 = df1_numerical_vars[i]
        var2 = df1_numerical_vars[j]
        temp = correlation_func(1, df1_processed[var1], df1_processed[var2], var1, var2)
        pairwise_correlation_results = pd.concat([pairwise_correlation_results, pd.DataFrame([temp])], ignore_index=True)

# Pairwise correlation for df2_processed
df2_numerical_vars = df2_processed.select_dtypes(include=np.number).columns.tolist()
for i in range(len(df2_numerical_vars)):
    for j in range(i + 1, len(df2_numerical_vars)):
        var1 = df2_numerical_vars[i]
        var2 = df2_numerical_vars[j]
        temp = correlation_func(2, df2_processed[var1], df2_processed[var2], var1, var2)
        pairwise_correlation_results = pd.concat([pairwise_correlation_results, pd.DataFrame([temp])], ignore_index=True)

display(pairwise_correlation_results)

```



|    | study | variable1           | variable2           | method                 | pValue       | statistic | is_significant |
|----|-------|---------------------|---------------------|------------------------|--------------|-----------|----------------|
| 0  | 1     | Age                 | Immersion           | Spearman's correlation | 9.764005e-06 | -0.352379 | Yes            |
| 1  | 1     | Age                 | Experienced Realism | Spearman's correlation | 7.945426e-06 | -0.355678 | Yes            |
| 2  | 1     | Age                 | Involvement         | Spearman's correlation | 1.713640e-04 | -0.302153 | Yes            |
| 3  | 1     | Age                 | Presence            | Spearman's correlation | 2.419621e-08 | -0.436151 | Yes            |
| 4  | 1     | Age                 | Exclusion           | Spearman's correlation | 4.036420e-04 | 0.285214  | Yes            |
| 5  | 1     | Immersion           | Experienced Realism | Spearman's correlation | 7.441654e-31 | 0.771418  | Yes            |
| 6  | 1     | Immersion           | Involvement         | Spearman's correlation | 1.362790e-05 | 0.346963  | Yes            |
| 7  | 1     | Immersion           | Presence            | Spearman's correlation | 1.024456e-23 | 0.703551  | Yes            |
| 8  | 1     | Immersion           | Exclusion           | Spearman's correlation | 2.171341e-03 | -0.248458 | Yes            |
| 9  | 1     | Experienced Realism | Involvement         | Spearman's correlation | 2.837772e-04 | 0.292307  | Yes            |
| 10 | 1     | Experienced Realism | Presence            | Spearman's correlation | 1.065843e-14 | 0.577183  | Yes            |
| 11 | 1     | Experienced Realism | Exclusion           | Spearman's correlation | 9.358690e-03 | -0.211543 | Yes            |
| 12 | 1     | Involvement         | Presence            | Spearman's correlation | 3.286277e-08 | 0.432388  | Yes            |
| 13 | 1     | Involvement         | Exclusion           | Spearman's correlation | 6.934464e-19 | -0.643245 | Yes            |
| 14 | 1     | Presence            | Exclusion           | Spearman's correlation | 2.136272e-03 | -0.248839 | Yes            |
| 15 | 2     | Age                 | Experienced Realism | Spearman's correlation | 2.237750e-03 | -0.237806 | Yes            |
| 16 | 2     | Age                 | Involvement         | Spearman's correlation | 5.437110e-03 | -0.216813 | Yes            |
| 17 | 2     | Age                 | Presence            | Spearman's correlation | 1.331701e-01 | -0.118120 | No             |
| 18 | 2     | Age                 | System Usability    | Spearman's correlation | 1.641087e-02 | -0.187725 | Yes            |
| 19 | 2     | Age                 | Simulator Sickness  | Spearman's correlation | 1.526918e-01 | 0.112523  | No             |
| 20 | 2     | Age                 | Exclusion           | Spearman's correlation | 1.823686e-01 | 0.104967  | No             |
| 21 | 2     | Experienced Realism | Involvement         | Spearman's correlation | 1.877143e-04 | 0.288522  | Yes            |
| 22 | 2     | Experienced Realism | Presence            | Spearman's correlation | 1.774861e-12 | 0.516106  | Yes            |
| 23 | 2     | Experienced Realism | System Usability    | Spearman's correlation | 7.163455e-07 | 0.376749  | Yes            |
| 24 | 2     | Experienced Realism | Simulator Sickness  | Spearman's correlation | 6.277385e-01 | -0.038262 | No             |
| 25 | 2     | Experienced Realism | Exclusion           | Spearman's correlation | 2.058079e-01 | -0.099616 | No             |
| 26 | 2     | Involvement         | Presence            | Spearman's correlation | 3.527891e-07 | 0.386279  | Yes            |
| 27 | 2     | Involvement         | System Usability    | Spearman's correlation | 8.120078e-02 | 0.136992  | No             |
| 28 | 2     | Involvement         | Simulator Sickness  | Spearman's correlation | 3.150510e-02 | -0.168541 | Yes            |
| 29 | 2     | Involvement         | Exclusion           | Spearman's correlation | 4.435444e-02 | 0.157719  | Yes            |
| 30 | 2     | Presence            | System Usability    | Spearman's correlation | 6.689008e-04 | 0.263762  | Yes            |
| 31 | 2     | Presence            | Simulator Sickness  | Spearman's correlation | 5.403892e-01 | -0.048297 | No             |
| 32 | 2     | Presence            | Exclusion           | Spearman's correlation | 1.719663e-01 | 0.107504  | No             |



|    |   |                    |                    |                        |              |          |    |
|----|---|--------------------|--------------------|------------------------|--------------|----------|----|
| 33 | 2 | System Usability   | Simulator Sickness | Spearman's correlation | 7.077987e-01 | 0.029579 | No |
| 34 | 2 | System Usability   | Exclusion          | Spearman's correlation | 7.983142e-01 | 0.020168 | No |
| 35 | 2 | Simulator Sickness | Exclusion          | Spearman's correlation | 4.043471e-01 | 0.065750 | No |

Next steps: [Generate code with pairwise\\_correlation\\_results](#) [View recommended plots](#) [New interactive sheet](#)

## ▼ Run Multivariable regression

```
import statsmodels.api as sm
import pandas as pd
from IPython.display import display

df1_numeric = df1_processed.select_dtypes(include=np.number)
df2_numeric = df2_processed.select_dtypes(include=np.number)

def perform_regression(study: int, df_numeric: pd.DataFrame):
    results = pd.DataFrame(index=df_numeric.columns, columns=df_numeric.columns)
    r2 = {}
    adjusted_r2 = {}

    for dependent_var in df_numeric.columns:
        X = df_numeric.drop(dependent_var, axis=1)
        y = df_numeric[dependent_var]

        X = sm.add_constant(X)
        model = sm.OLS(y, X).fit()

        # Store R-squared for this model
        r2[dependent_var] = model.rsquared
        adjusted_r2[dependent_var] = model.rsquared_adj

        # Store the formatted coefficient and significance for each predictor
        for predictor in X.columns:
            if predictor == 'const':
                continue # Skip the constant

            coef = model.params.get(predictor)
            p_value = model.pvalues.get(predictor)

            # Format the result with a significance indicator
            if p_value is not None and p_value < 0.05:
                formatted_result = f"{coef:.3f}*"
            elif coef is not None:
                formatted_result = f"{coef:.3f}"
            else:
                formatted_result = None

            # Fill the table with the result
            results.loc[predictor, dependent_var] = formatted_result

    # Create the final table within the function
```

```
r2_row = pd.DataFrame([r2], index=['R-squared'])
adjusted_r2_row = pd.DataFrame([adjusted_r2], index=['Adjusted R-squared'])
# Drop the 'Age' column from results before concatenating if it exists
final_table = pd.concat([results.drop(columns='Age', errors='ignore'), r2_row, adjusted_r2_row], axis=0)

print(f"Multiple Regression Results for Study {study}")
final_table = final_table.drop(columns='Age', errors='ignore').T # Use .T to transpose and get the desired format
return final_table # Return the final table
```

```
# Perform regression for each study and store the results
final_table1 = perform_regression(1, df1_numeric)
display(final_table1)
final_table2 = perform_regression(2, df2_numeric)
display(final_table2)
```

Multiple Regression Results for Study 1

|                     | Age     | Immersion | Experienced Realism | Involvement | Presence | Exclusion | R-squared | Adjusted R-squared |  |
|---------------------|---------|-----------|---------------------|-------------|----------|-----------|-----------|--------------------|--|
| Immersion           | 0.020   | NaN       | 0.546*              | 0.034       | 0.371*   | -0.022    | 0.69774   | 0.687245           |  |
| Experienced Realism | -0.051  | 0.704*    | NaN                 | -0.044      | 0.060    | -0.008    | 0.603067  | 0.589284           |  |
| Involvement         | -0.016  | 0.039     | -0.040              | NaN         | 0.198*   | -0.270*   | 0.527519  | 0.511113           |  |
| Presence            | -0.120* | 0.549*    | 0.069               | 0.252*      | NaN      | 0.041     | 0.567228  | 0.552201           |  |
| Exclusion           | 0.203*  | -0.134    | -0.037              | -1.412*     | 0.169    | NaN       | 0.495425  | 0.477905           |  |

Multiple Regression Results for Study 2

|                     | Age     | Experienced Realism | Involvement | Presence | System Usability | Simulator Sickness | Exclusion | R-squared | Adjusted R-squared |  |
|---------------------|---------|---------------------|-------------|----------|------------------|--------------------|-----------|-----------|--------------------|--|
| Experienced Realism | -0.312  | NaN                 | 0.192*      | 0.408*   | 0.125*           | 0.002              | -0.273*   | 0.379648  | 0.355789           |  |
| Involvement         | -0.317* | 0.161*              | NaN         | 0.235*   | -0.006           | -0.014             | 0.261*    | 0.238321  | 0.209026           |  |
| Presence            | 0.091   | 0.363*              | 0.249*      | NaN      | 0.023            | 0.003              | 0.184     | 0.305029  | 0.2783             |  |
| System Usability    | -0.569  | 0.692*              | -0.040      | 0.141    | NaN              | 0.010              | 0.338     | 0.173369  | 0.141575           |  |
| Simulator Sickness  | 1.543   | 0.133               | -1.424      | 0.272    | 0.154            | NaN                | 1.728     | 0.046256  | 0.009574           |  |
| Exclusion           | 0.170   | -0.093*             | 0.106*      | 0.070    | 0.021            | 0.007              | NaN       | 0.088718  | 0.053669           |  |

Next steps:

Generate code with final\_table1

View recommended plots

New interactive sheet

Generate code with final\_table2

View recommended plots

New interactive sheet

Run Variance inflation factor

```
from statsmodels.stats.outliers_influence import variance_inflation_factor
from statsmodels.tools.tools import add_constant

#Define
def calculate_vif(df):
    df = add_constant(df)
    vif_data = pd.DataFrame()
    vif_data["Feature"] = df.columns
    vif_data["VIF"] = [variance_inflation_factor(df.values, i)
```

```
        for i in range(df.shape[1])
vif_data = vif_data[vif_data["Feature"] != "const"]
return vif_data
```

```
# Calculate VIF for df1_processed
vif_df1 = calculate_vif(df1_numeric)
print("VIF for Study 1:")
display(vif_df1.T)
```

```
# Calculate VIF for df2_processed
vif_df2 = calculate_vif(df2_numeric)
print("\n\nVIF for Study 2:")
display(vif_df2.T)
```

 VIF for Study 1:

|         | 1       | 2         | 3                   | 4           | 5        | 6         |  |
|---------|---------|-----------|---------------------|-------------|----------|-----------|-----------------------------------------------------------------------------------|
| Feature | Age     | Immersion | Experienced Realism | Involvement | Presence | Exclusion |  |
| VIF     | 1.34634 | 3.308415  | 2.519314            | 2.116487    | 2.310683 | 1.981866  |                                                                                   |

VIF for Study 2:

|         | 1        | 2                   | 3           | 4        | 5                | 6                  | 7         |  |
|---------|----------|---------------------|-------------|----------|------------------|--------------------|-----------|-------------------------------------------------------------------------------------|
| Feature | Age      | Experienced Realism | Involvement | Presence | System Usability | Simulator Sickness | Exclusion |                                                                                     |
| VIF     | 1.166385 | 1.611989            | 1.312889    | 1.43891  | 1.20973          | 1.0485             | 1.097356  |                                                                                     |